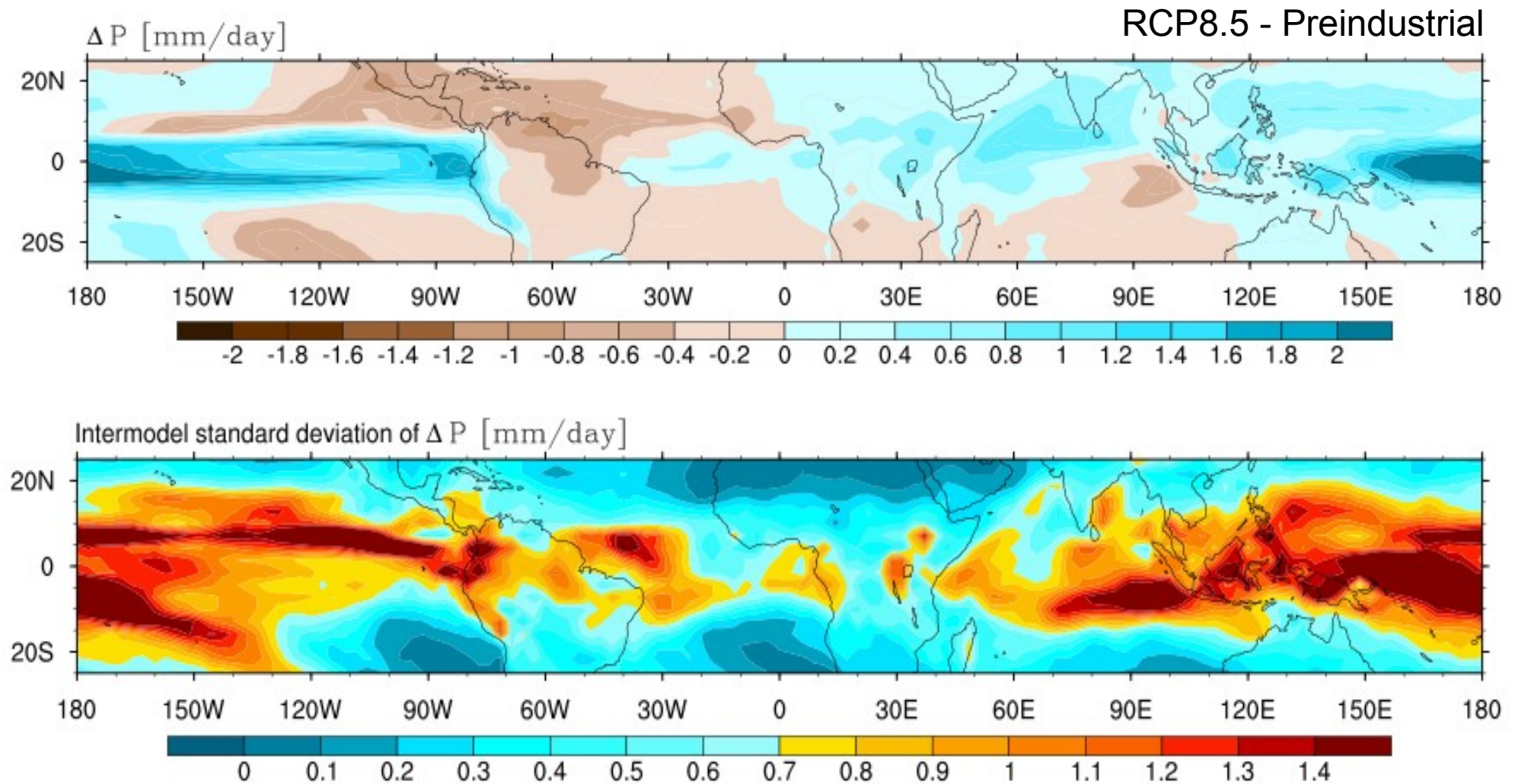

Interpreting inter-model spread in regional precipitation projections

Boutheina Oueslati, Sandrine Bony and Jean-Louis Dufresne

LMD/IPSL, CNRS, Paris

Thanks to Camille Risi

Annual mean precipitation : Changes and Spread



Models : IPSL-CM5B-LR, CNRM-CM5, MPI-ESM-LR, IPSL-CM5A-LR, MIROC5, CanESM2, HadGE2-ES, FGOALS-s2, MRI-CGCM3, NorESM1-M, inmcm4

Analysis methodology (Bony et al., 2013)

Water budget

$$P = E - \underbrace{[V \cdot \nabla q]}_{H_q} - \underbrace{[q \nabla \cdot V]}_{\omega \frac{\partial q}{\partial p}}$$

ω can be decomposed as:

$$\omega = \Omega + (\omega - \Omega), \quad \text{with} \quad \Omega(p) = \bar{\omega} \Phi(p)$$

Then,

$$P = E + H_q + \bar{\omega} \Gamma_q + V_q^\alpha, \quad \text{with} \quad V_q^\alpha = - \left[(\omega(p) - \Omega(p)) \frac{\partial q}{\partial p} \right]$$

$$\Gamma_q = - \left[\Phi(p) \frac{\partial q}{\partial p} \right]$$

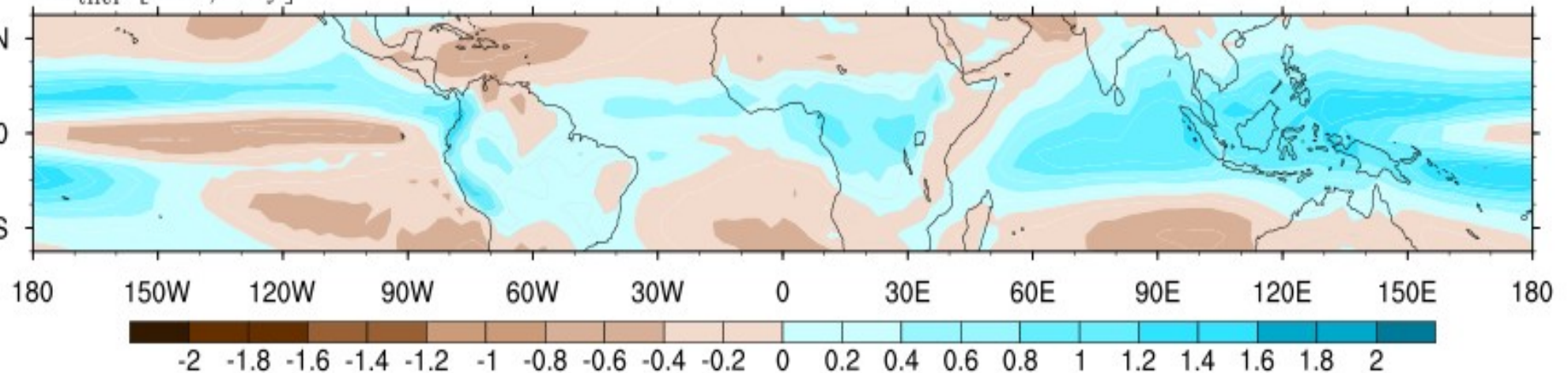
$$\Delta P = \underbrace{\Delta E + \Delta H_q + \bar{\omega} \Delta \Gamma_q + \Delta V_q^\alpha}_{\Delta P_{ther}} + \underbrace{\Gamma_q \Delta \bar{\omega}}_{\Delta P_{dyn}}$$

Role of dynamic and thermodynamic processes

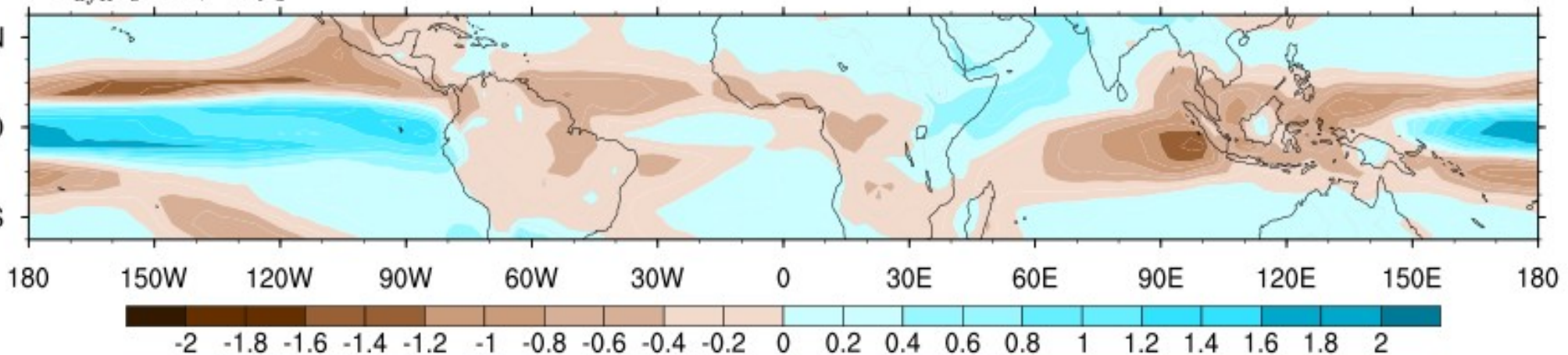
$$\Delta P = \underbrace{\Delta E + \Delta H_q + \overline{\omega} \Delta \Gamma_q + \Delta V_q^a}_{\Delta P_{ther}} + \underbrace{\Gamma_q \Delta \overline{\omega}}_{\Delta P_{dyn}}$$

RCP8.5 - Preindustrial

ΔP_{ther} [mm/day]



ΔP_{dyn} [mm/day]

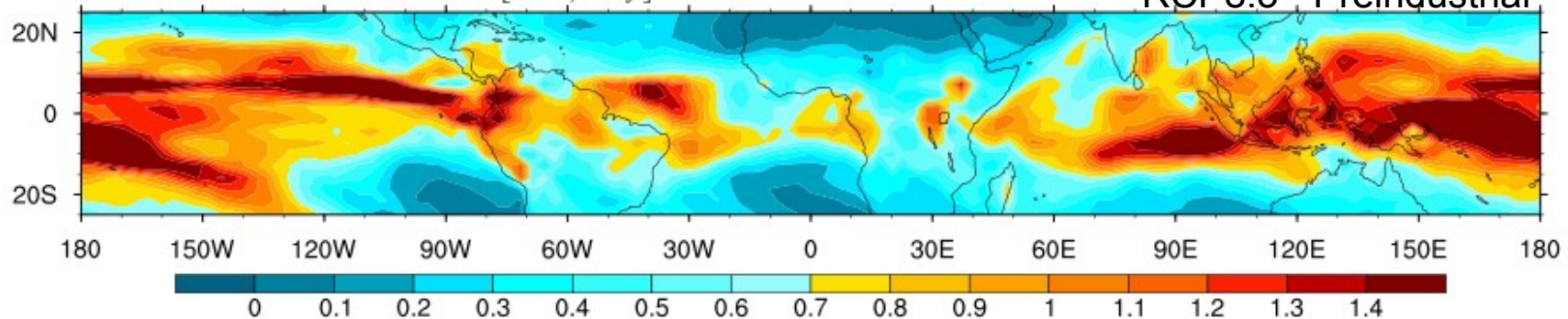


Role of dynamic and thermodynamic processes

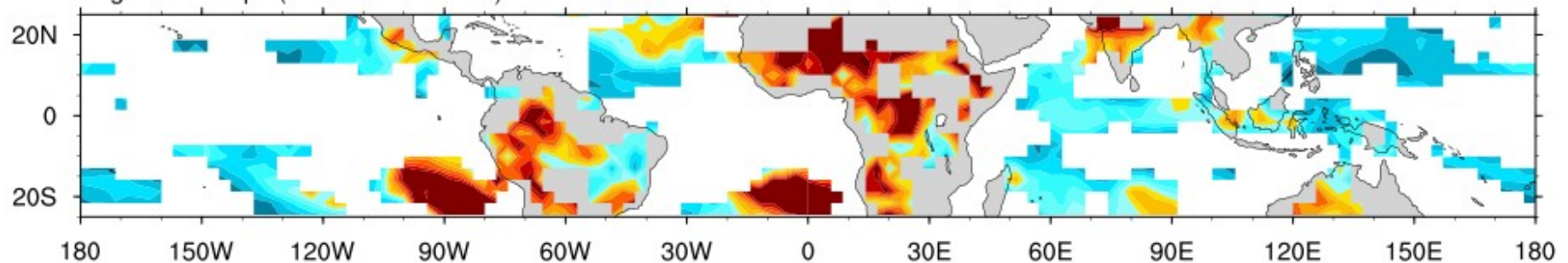
$$\Delta P_{ther} = a_{ther} \Delta P + b_{ther}$$
$$\Delta P_{dyn} = a_{dyn} \Delta P + b_{dyn}$$

Intermodel standard deviation of ΔP [mm/day]

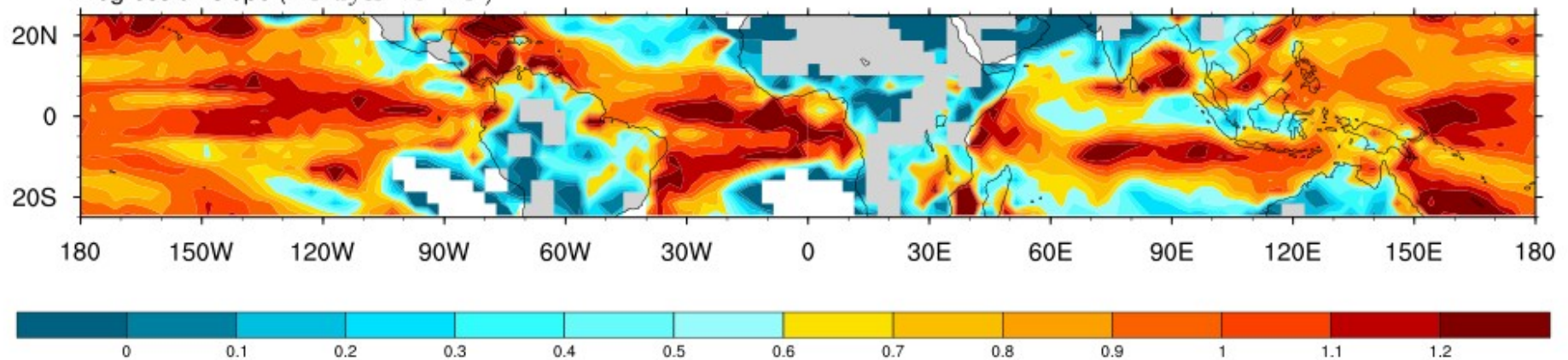
RCP8.5 - Preindustrial



Regression slope (ΔP_{ther} vs ΔP)



Regression slope (ΔP_{dyn} vs ΔP)



Fast vs Long-term processes

$$\Delta P_i = \Delta P_{i-Fast} + \frac{\partial P_i}{\partial T_i} \Delta T_s$$

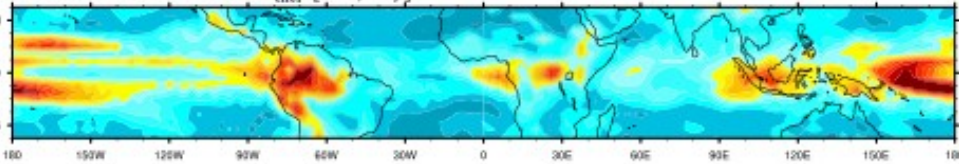
[] Multi-model mean
i : ther ou dyn

$$\Delta P_{i1} = \Delta P_{i-Fast} + \left[\frac{\partial P_i}{\partial T_i} \Delta T_s \right]$$

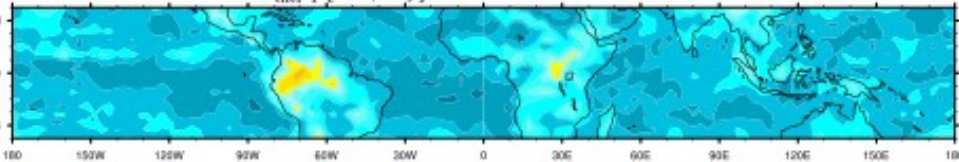
$$\Delta P_{i3} = [\Delta P_{i-Fast}] + \left[\frac{\partial P_i}{\partial T_i} \right] \Delta T_s$$

$$\Delta P_{i2} = [\Delta P_{i-Fast}] + \frac{\partial P_i}{\partial T_i} [\Delta T_s]$$

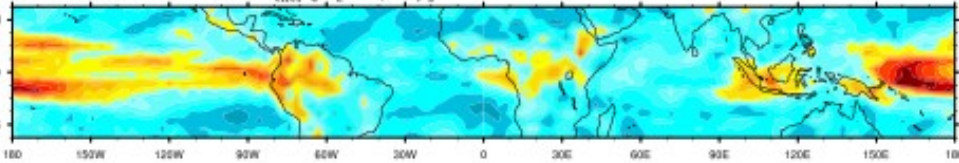
Intermodel standard deviation of ΔP_{ther} [mm/day]



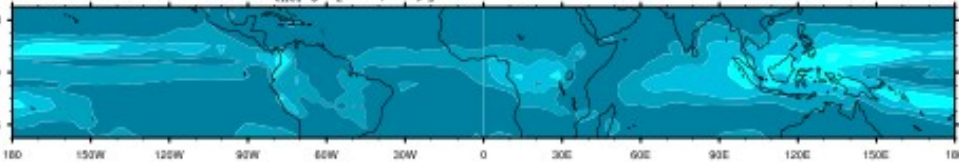
Intermodel standard deviation of $\Delta P_{ther,1}$ [mm/day]



Intermodel standard deviation of $\Delta P_{ther,2}$ [mm/day]

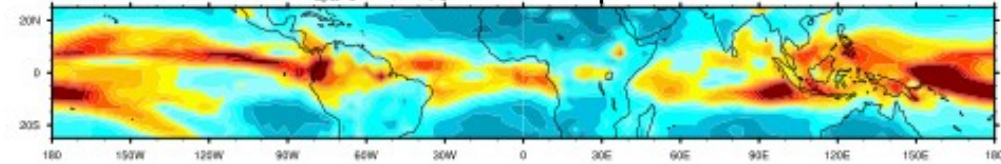


Intermodel standard deviation of $\Delta P_{ther,3}$ [mm/day]



Intermodel standard deviation of ΔP_{dyn} [mm/day]

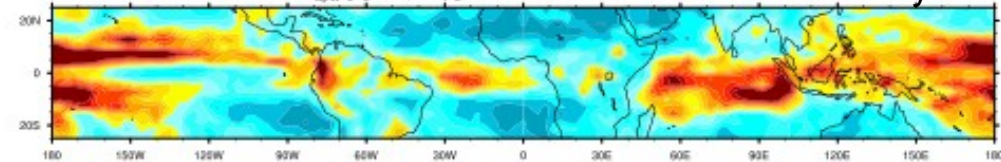
abrupt4xCO2 - Preindustrial



Intermodel standard deviation of $\Delta P_{dyn,1}$ [mm/day]

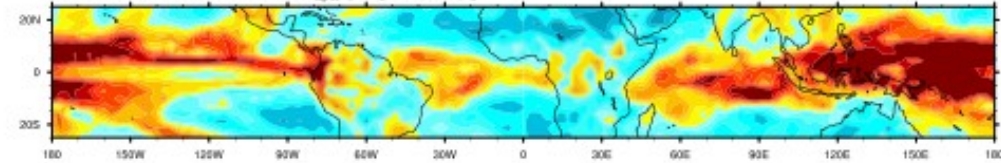
1st year

1



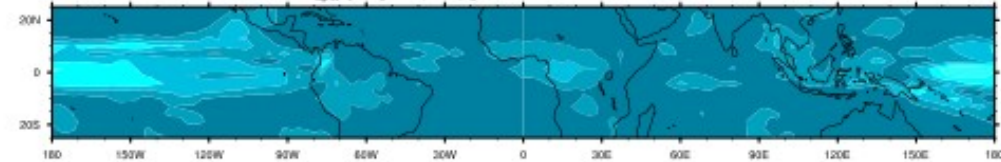
Intermodel standard deviation of $\Delta P_{dyn,2}$ [mm/day]

2



Intermodel standard deviation of $\Delta P_{dyn,3}$ [mm/day]

3

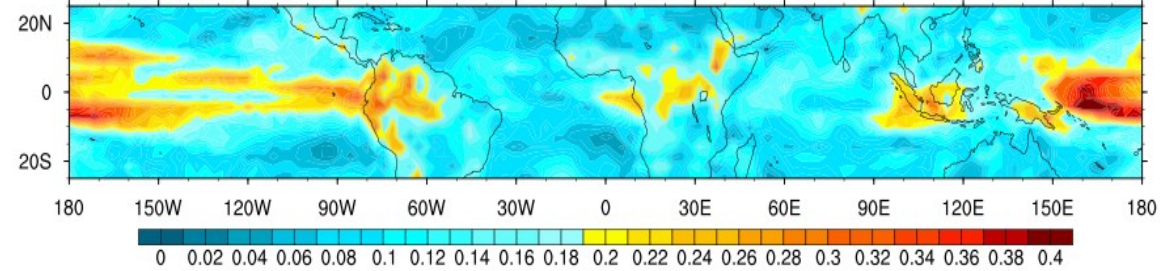


Interpretation of the thermodynamic component (dP_{ther}/dT_s)

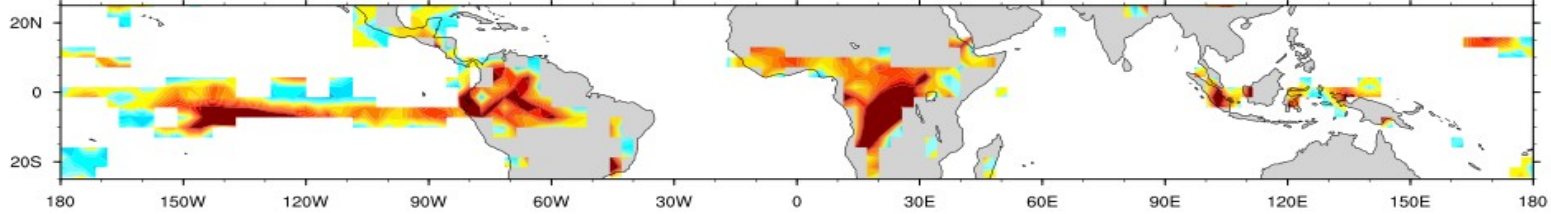
$$\Delta P_{ther} = \Delta E + \Delta H_q + \overline{\omega} \Delta \Gamma_q + \Delta V_q^a$$

Intermodel standard deviation of dP_{ther}/dT_s [mm/day/K]

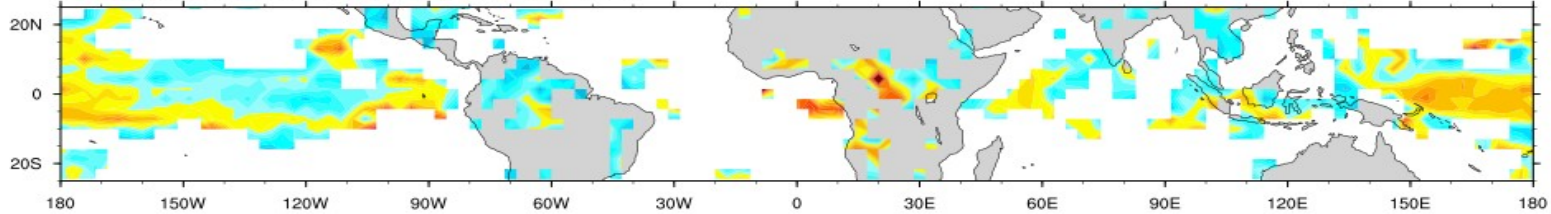
abrupt4xCO₂ - Preindustrial



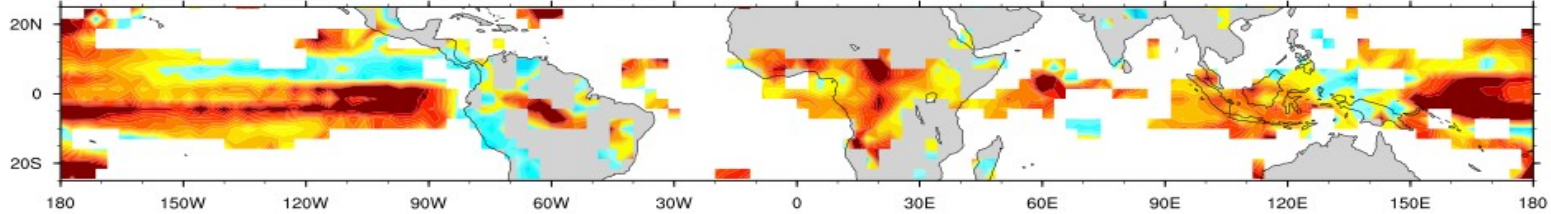
Regression slope (dE/dT_s vs dP_{ther}/dT_s)



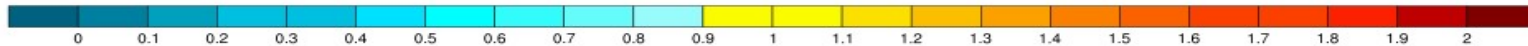
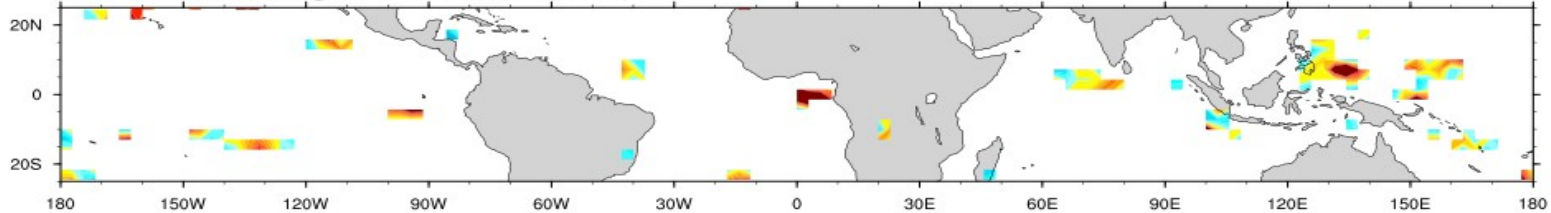
Regression slope (dH_q/dT_s vs dP_{ther}/dT_s)



Regression slope (ωdΓ_q/dT_s vs dP_{ther}/dT_s)

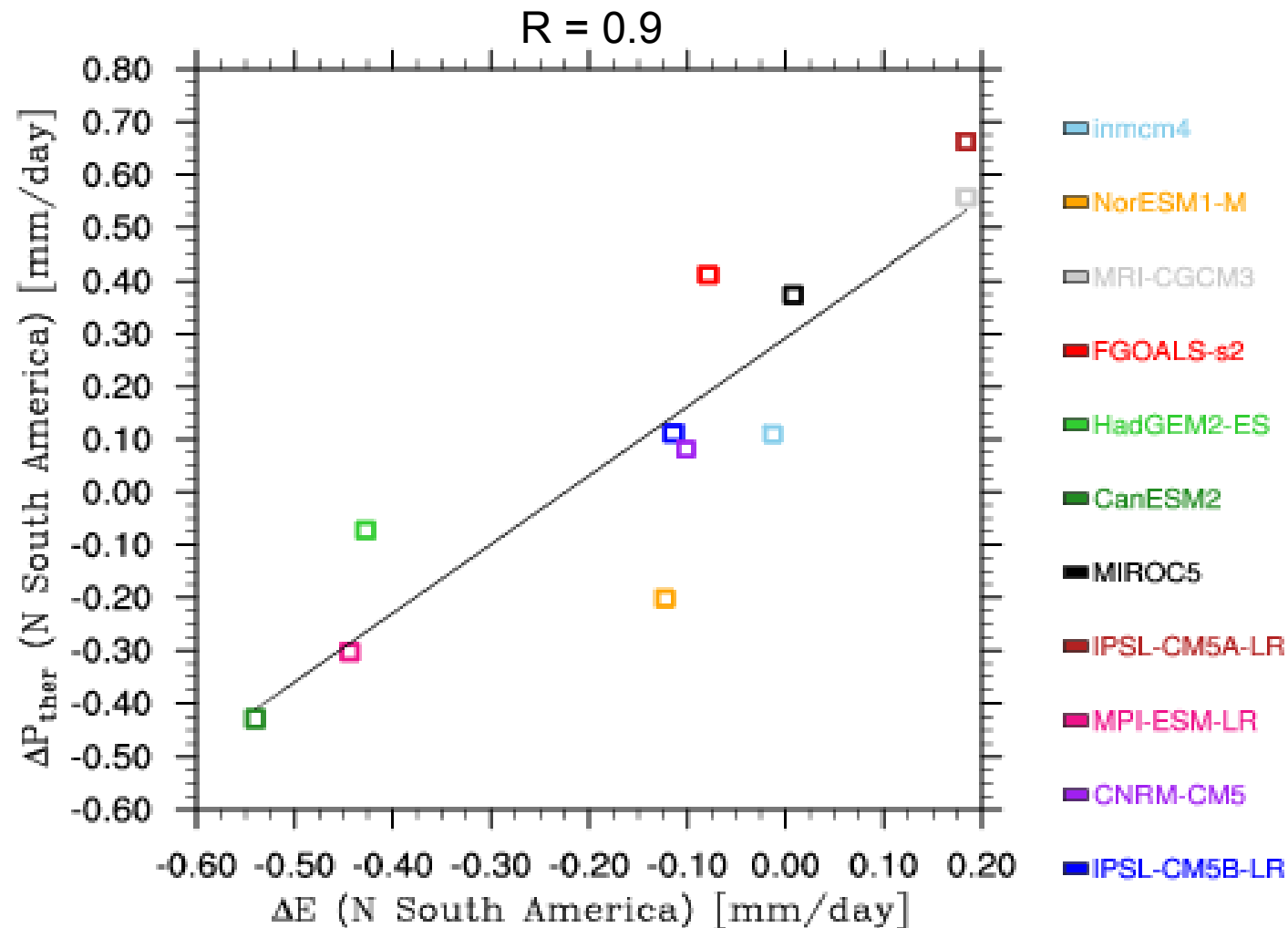
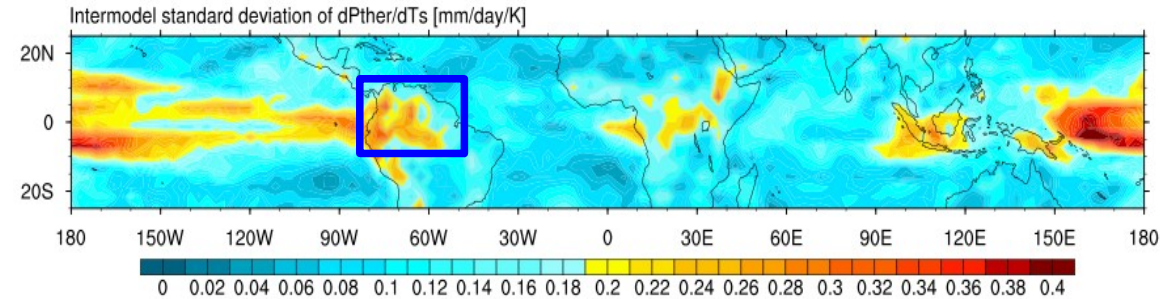


Regression slope (dV_q/dT_s vs dP_{ther}/dT_s)



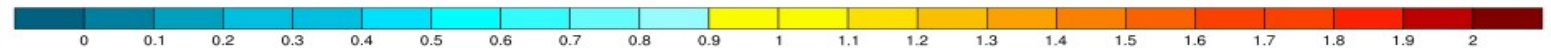
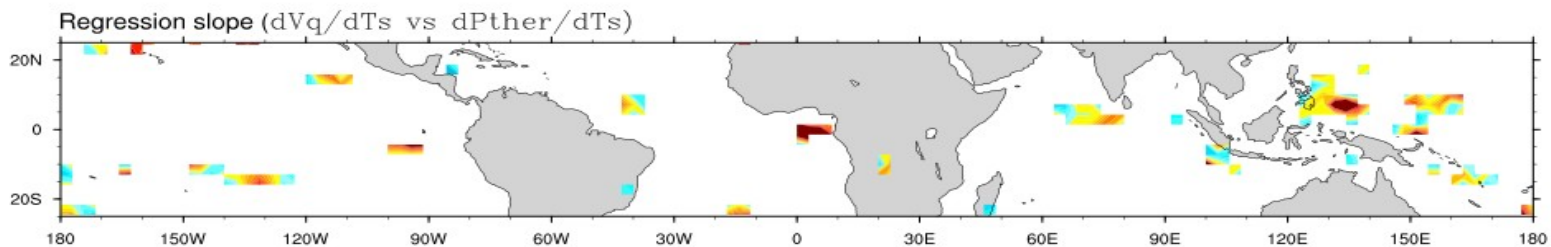
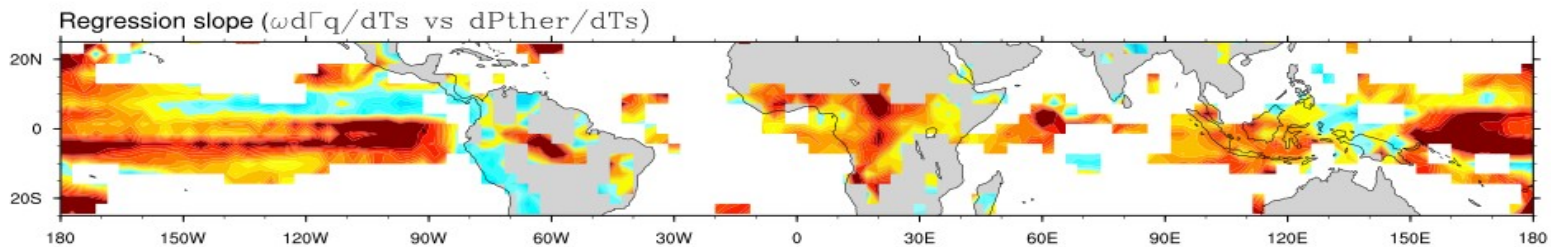
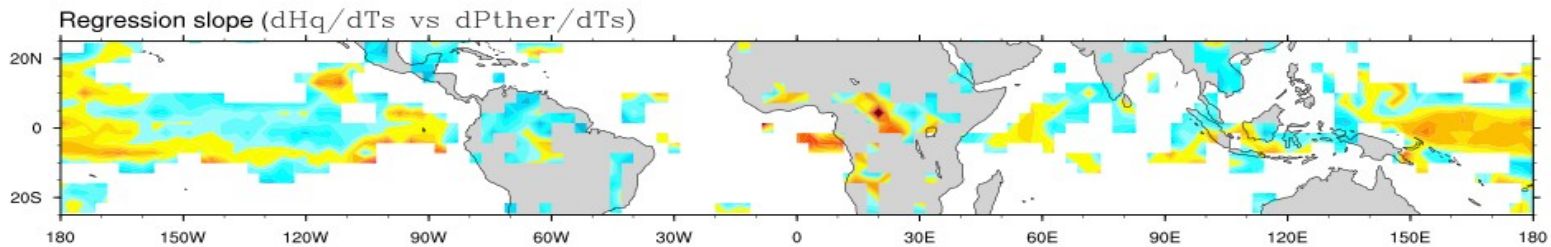
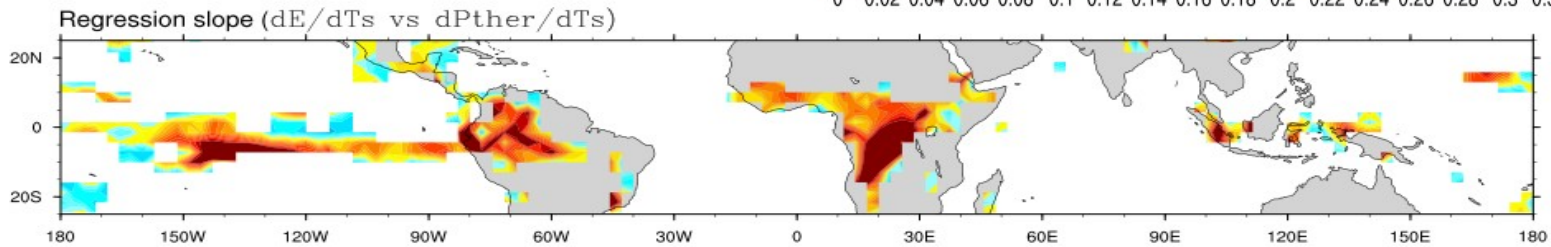
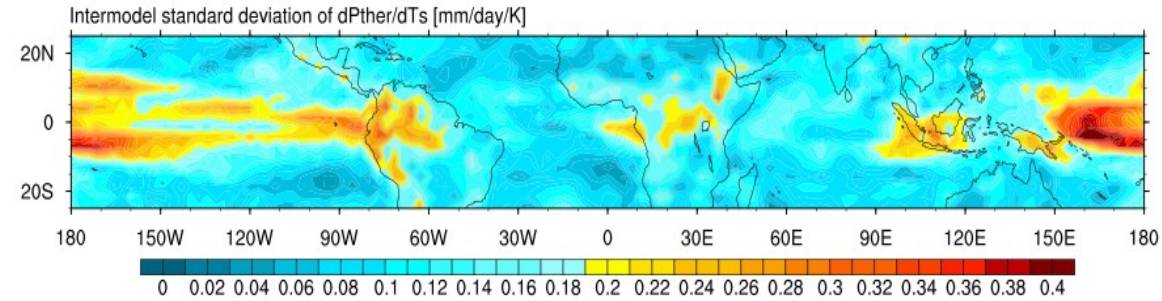
Interpretation of the thermodynamic component

Role of evaporation



Interpretation of the thermodynamic component (dPther/dTs)

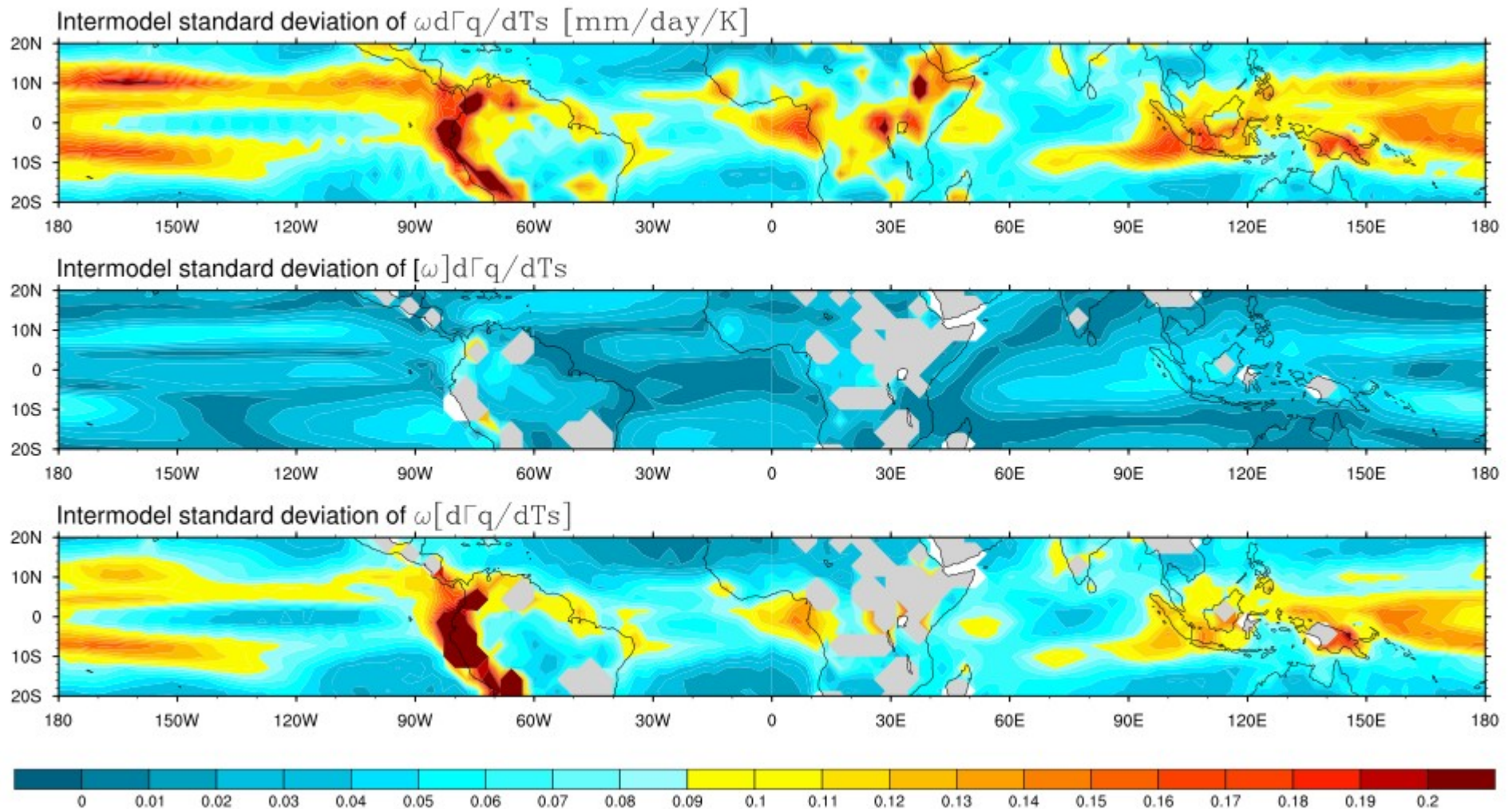
$$\Delta P_{ther} = \Delta E + \Delta H_q + \overline{\omega} \Delta \Gamma_q + \Delta V_q^a$$



Interpretation of the thermodynamic component

Role of climatology

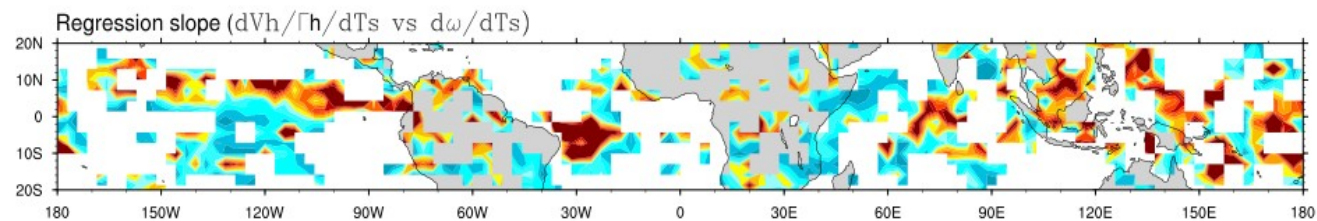
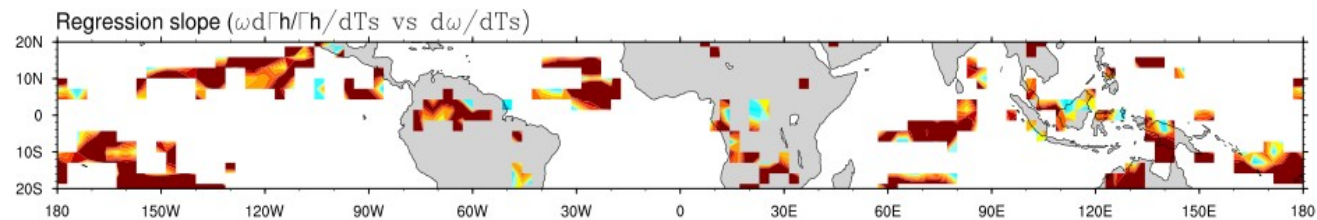
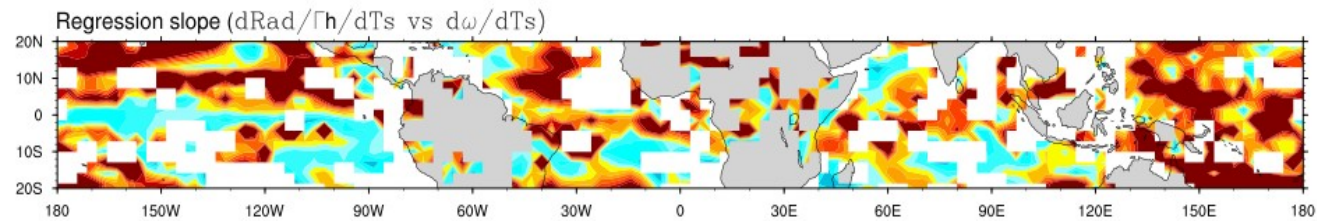
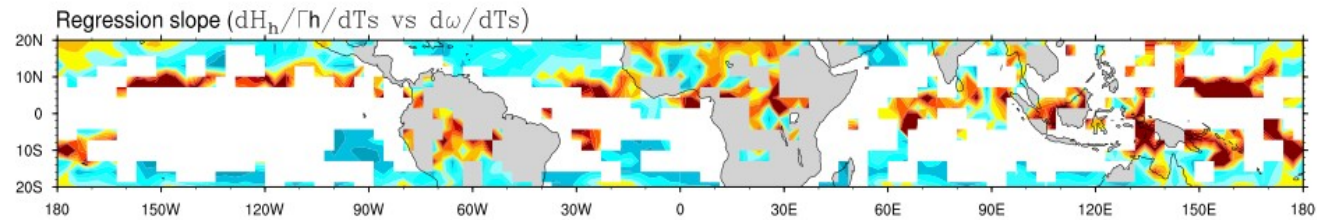
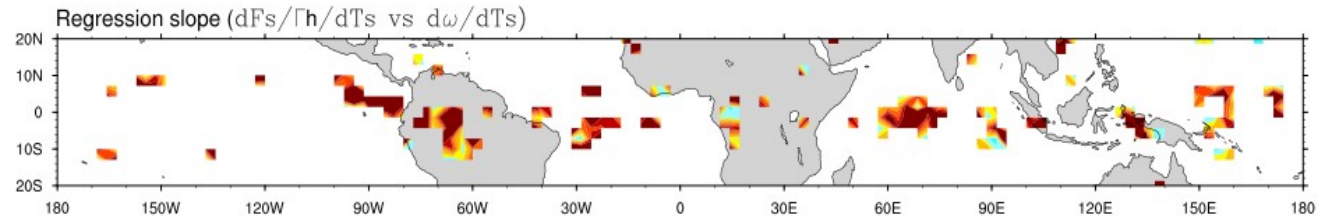
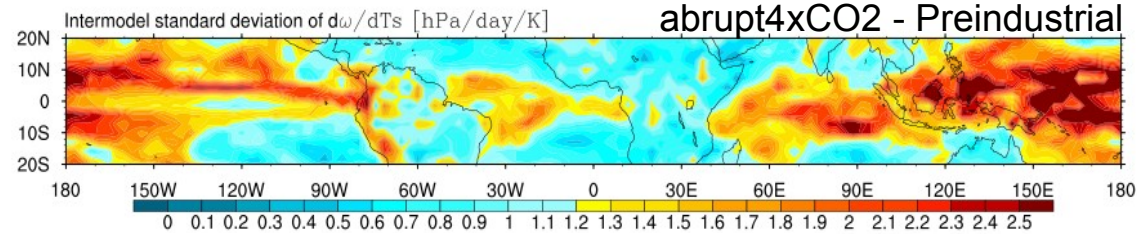
$$\overline{\omega \Delta \Gamma_q} \rightarrow \begin{cases} [\overline{\omega}] \Delta \Gamma_q \\ \overline{\omega} [\Delta \Gamma_q] \end{cases}$$



Interpretation of the dynamic component (dPdyn/dTs)

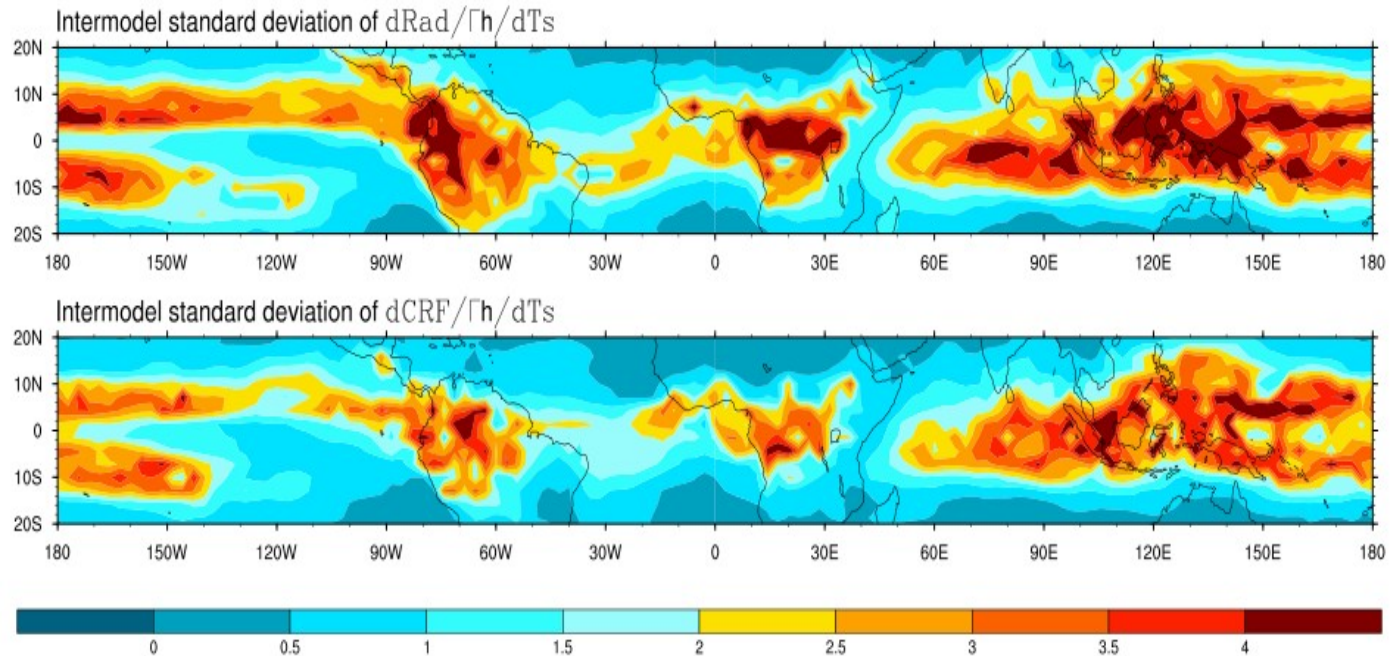
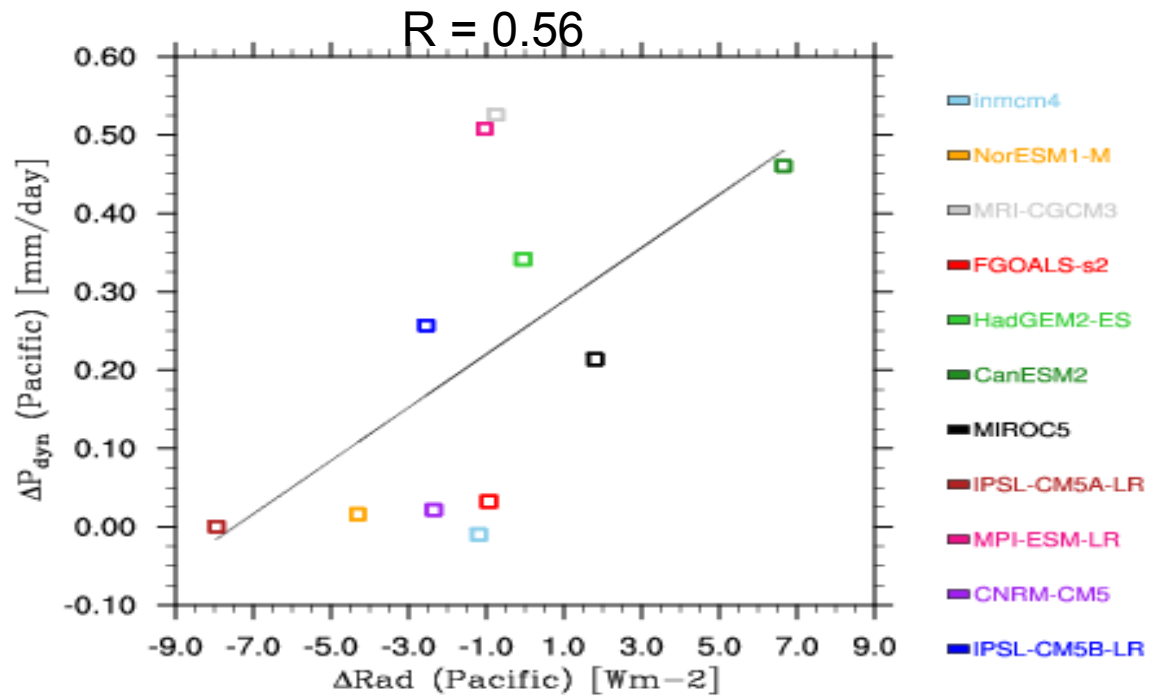
$$F_s + Rad + \overline{\omega}\Gamma_h + V_h^\alpha + H_h = 0$$

$$\Delta\overline{\omega} = -\frac{1}{\Gamma_h} (\Delta F_s + \Delta Rad + \overline{\omega}\Delta\Gamma_h + \Delta V_h^\alpha + \Delta\overline{\omega}\Delta\Gamma_h)$$



Interpretation of the dynamic component

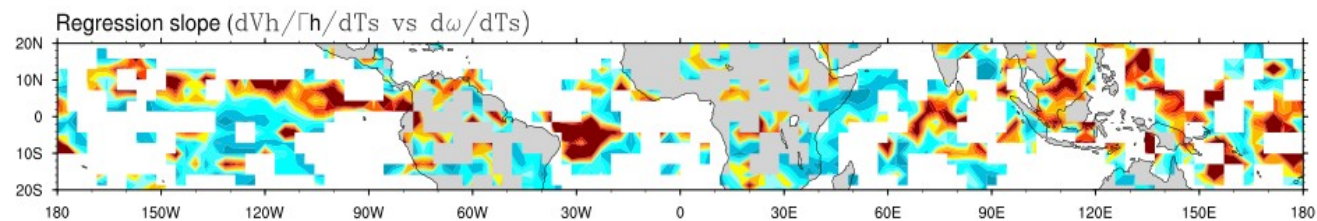
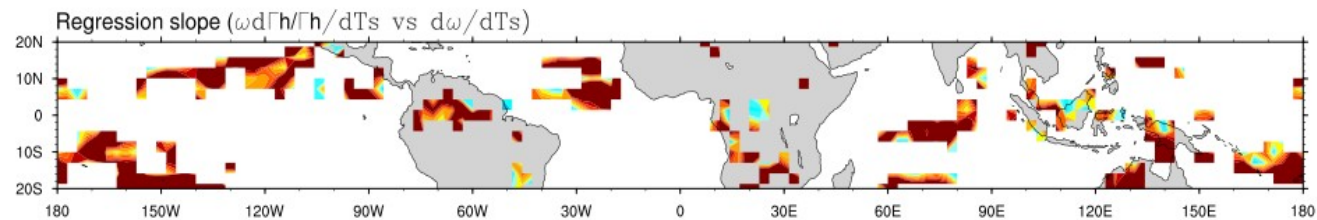
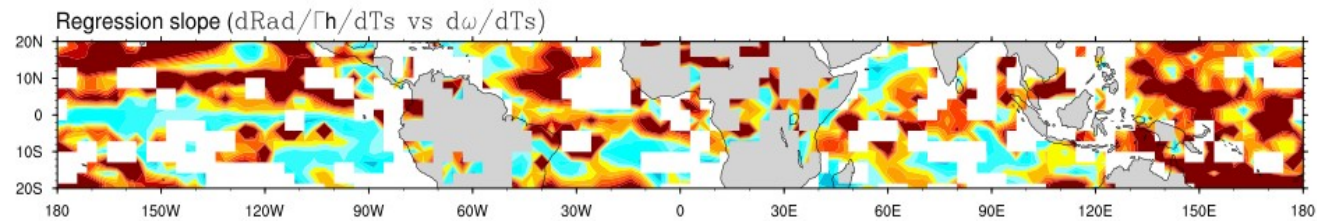
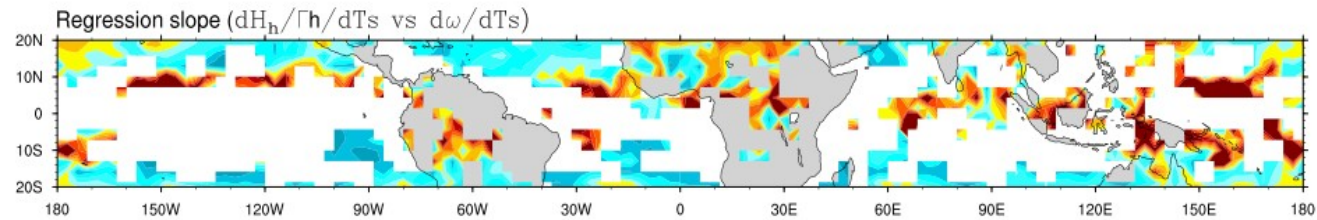
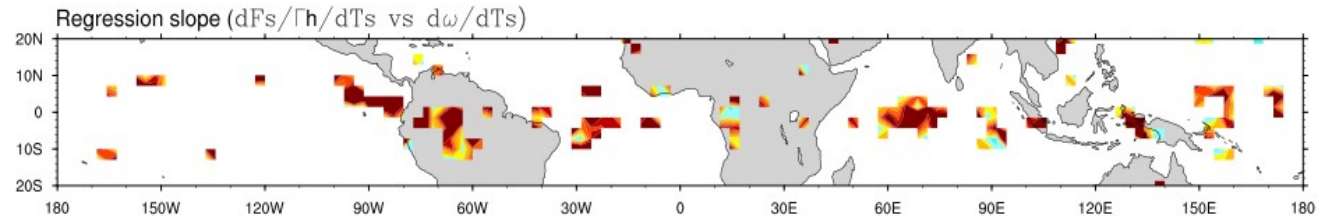
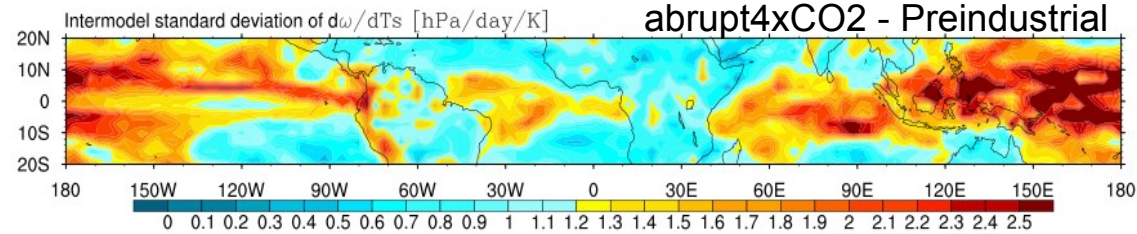
Role of radiative cooling and cloud radiative effect



Interpretation of the dynamic component (dPdyn/dTs)

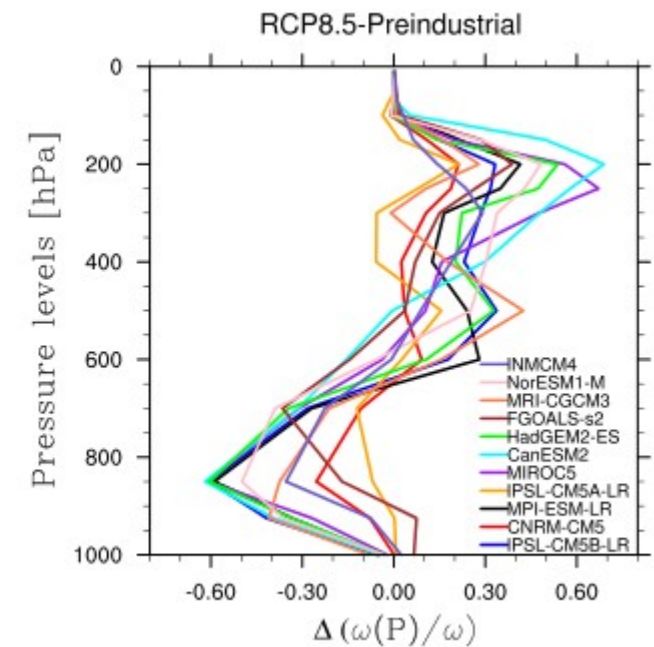
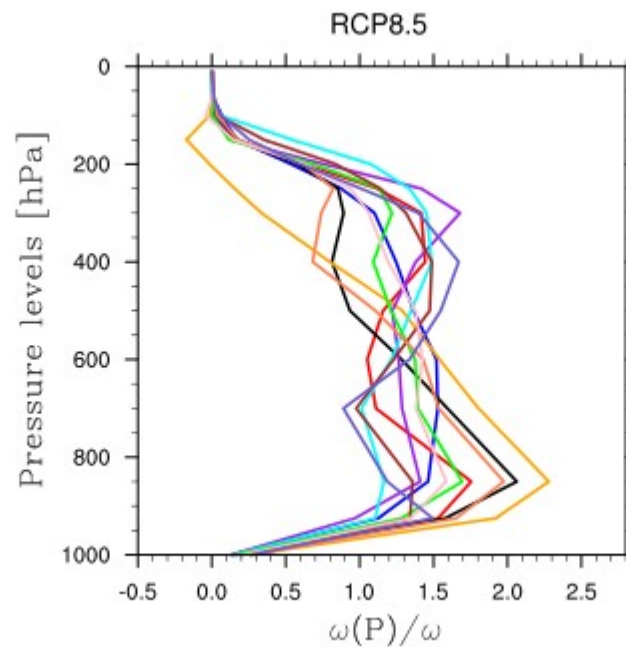
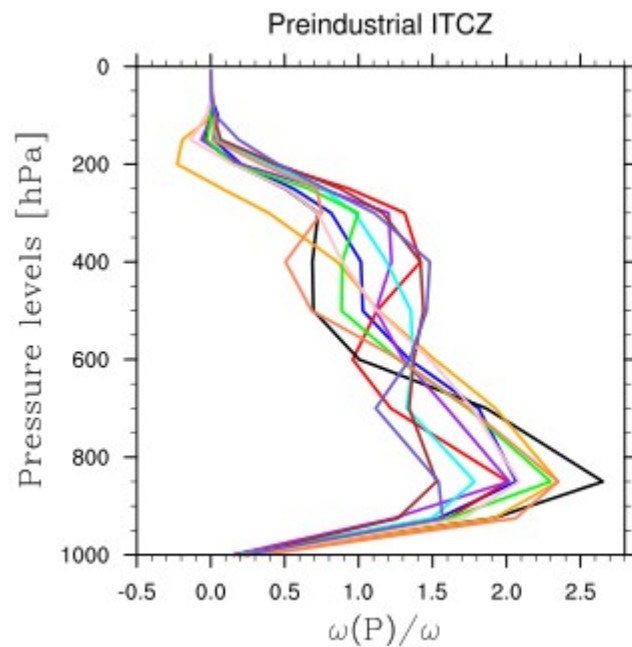
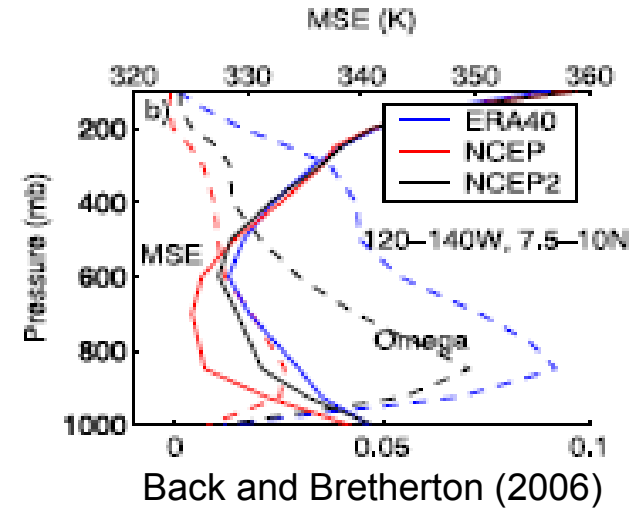
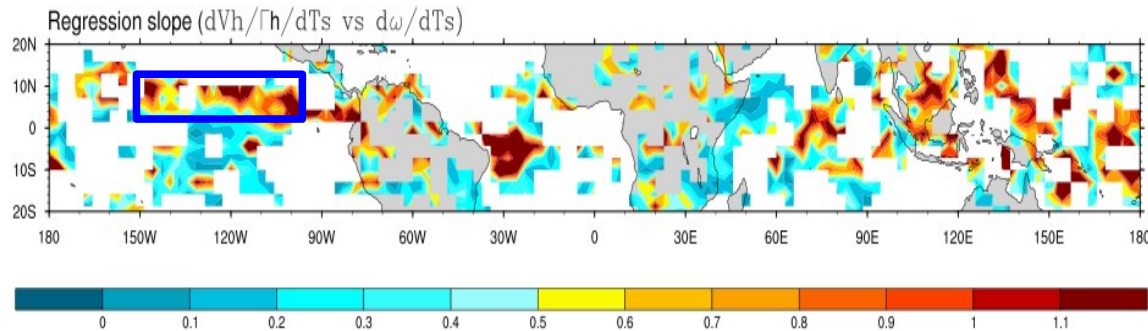
$$F_s + Rad + \overline{\omega}\Gamma_h + V_h^\alpha + H_h = 0$$

$$\Delta\overline{\omega} = -\frac{1}{\Gamma_h} (\Delta F_s + \Delta Rad + \overline{\omega}\Delta\Gamma_h + \Delta V_h^\alpha + \Delta\overline{\omega}\Delta\Gamma_h)$$



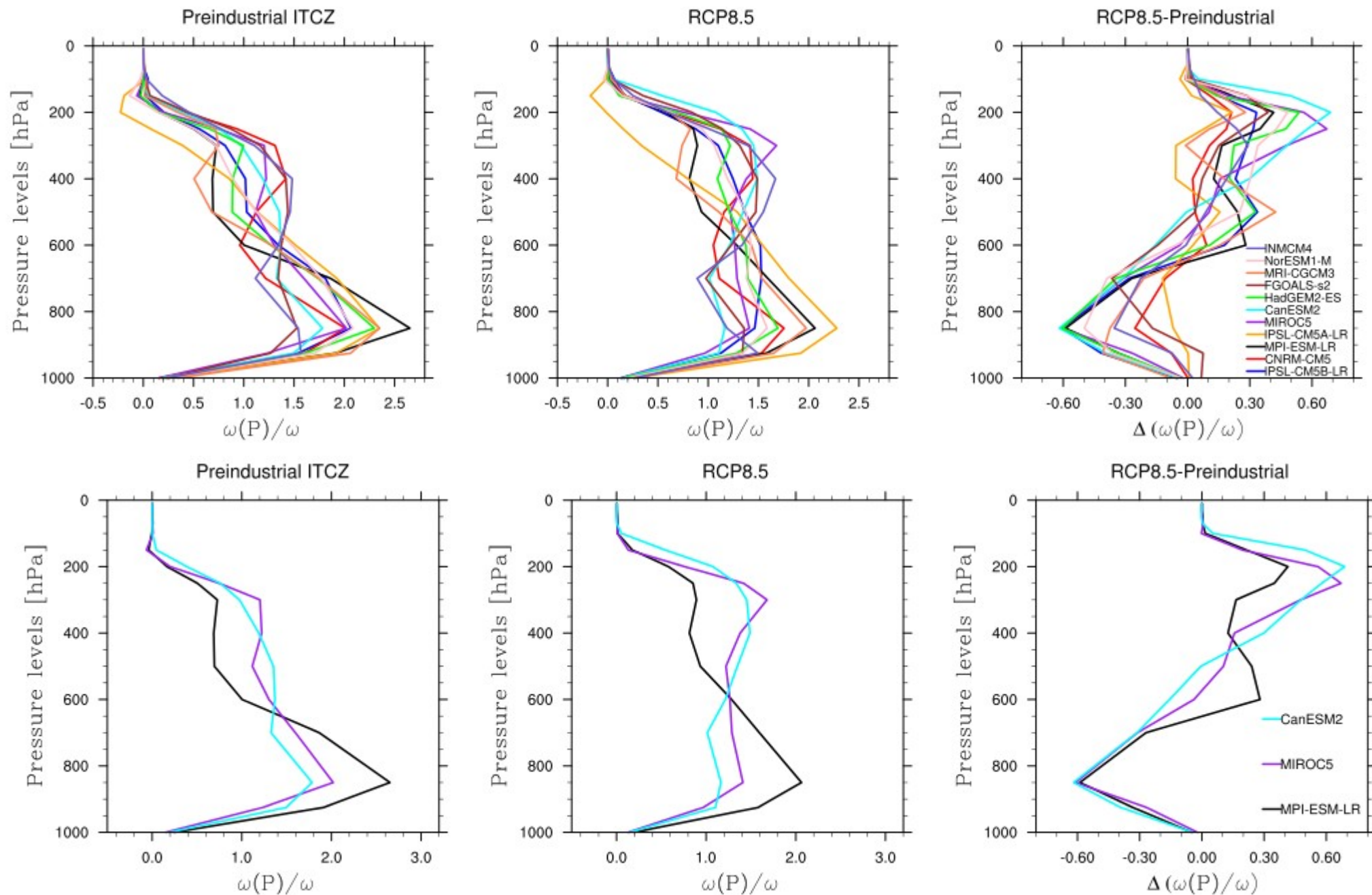
Interpretation of the dynamic component

Role of w vertical profile



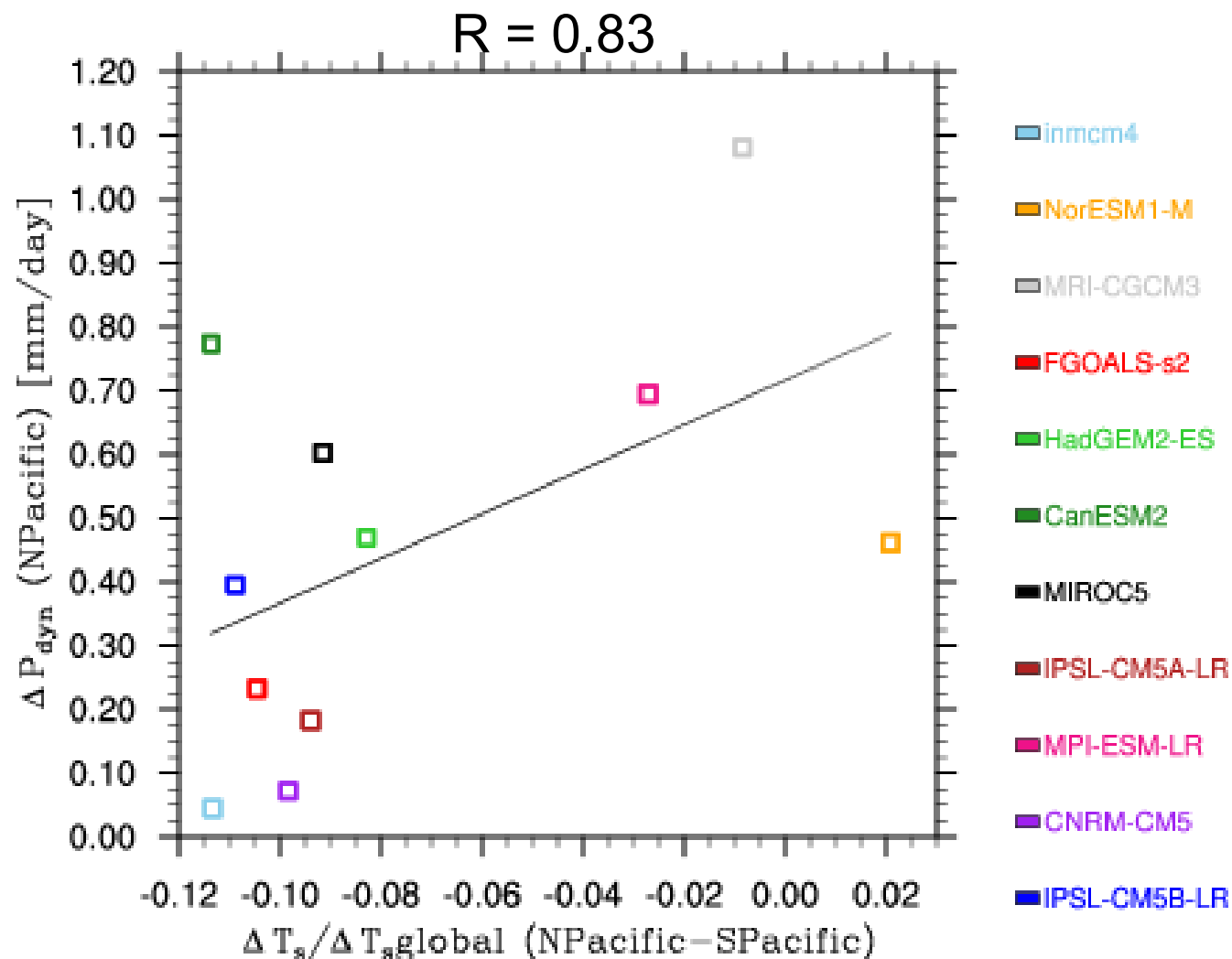
Interpretation of the dynamic component

Role of w vertical profile



Interpretation of the dynamic component

Role of SST gradients on w vertical profile



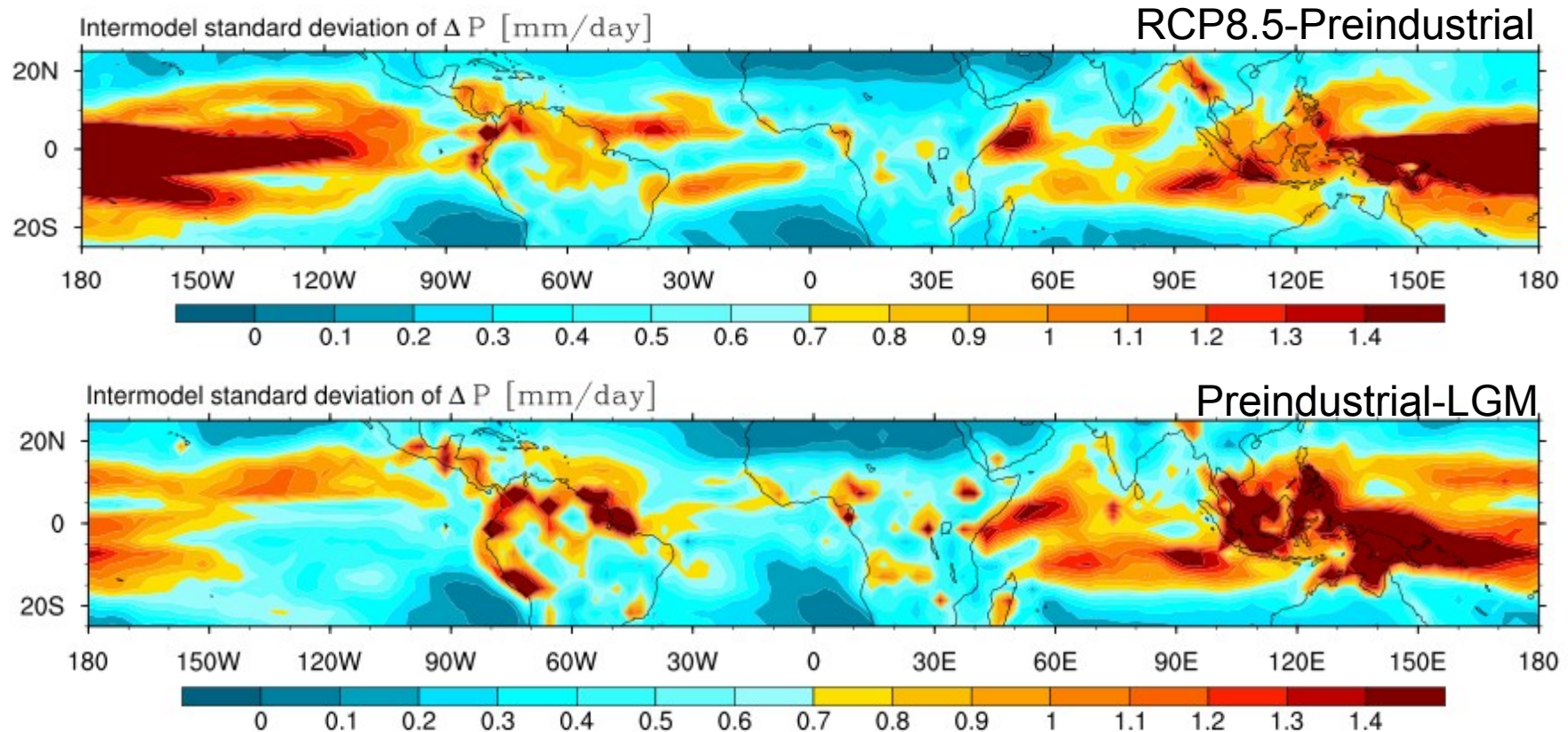
Conclusions

The present study investigates possible sources of intermodel spread in precipitation projections:

- The dynamic component dominates over oceans and along continental coasts through the spread in CRE and w vertical profile
- The thermodynamic component dominates over continental interiors through the spread in evaporation and w climatology

Outlook

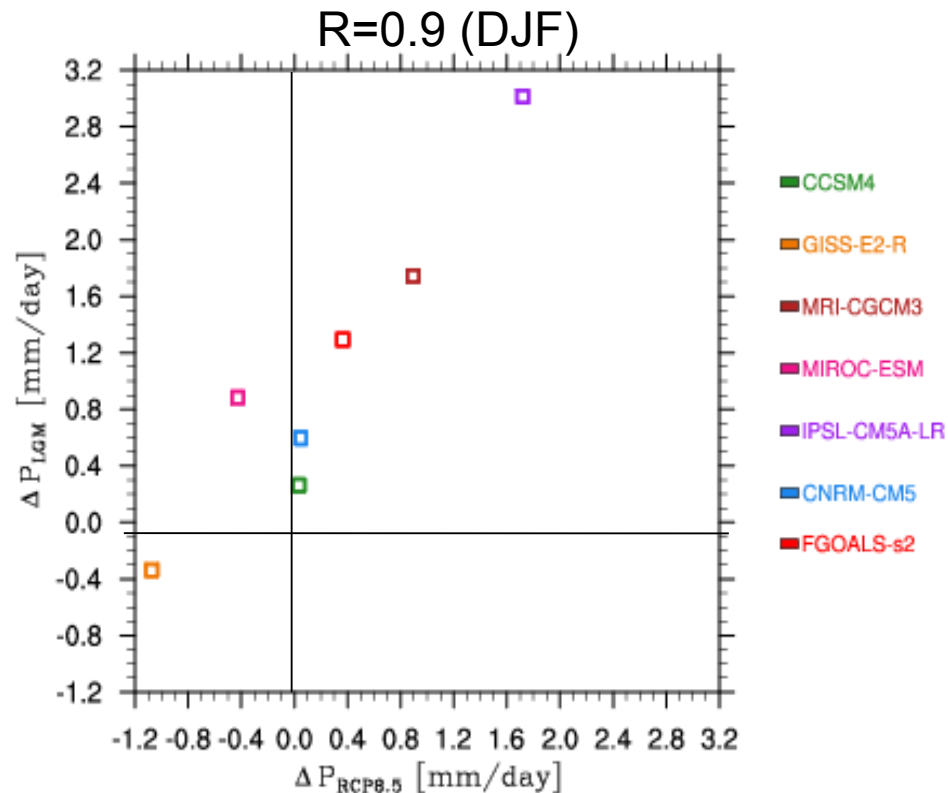
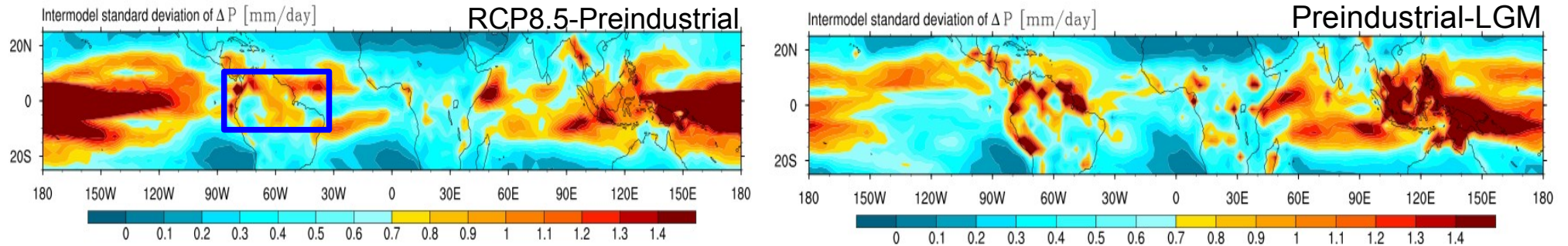
Comparison with paleoclimate simulations (Last Glacial Maximum, Mid-Holocene)



Models: FGOALS-g2, CNRM-CM5, MIROC-ESM, MRI-CGCM3, GISS-E2-R, CCSM4, MPI-ESM-P

Outlook

Comparison with paleoclimate simulations (Last Glacial Maximum, Mid-Holocene)



**Thank you for your
attention**

Relative changes in annual mean precipitation

