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# **Interpreting inter-model differences in regional precipitation projections**

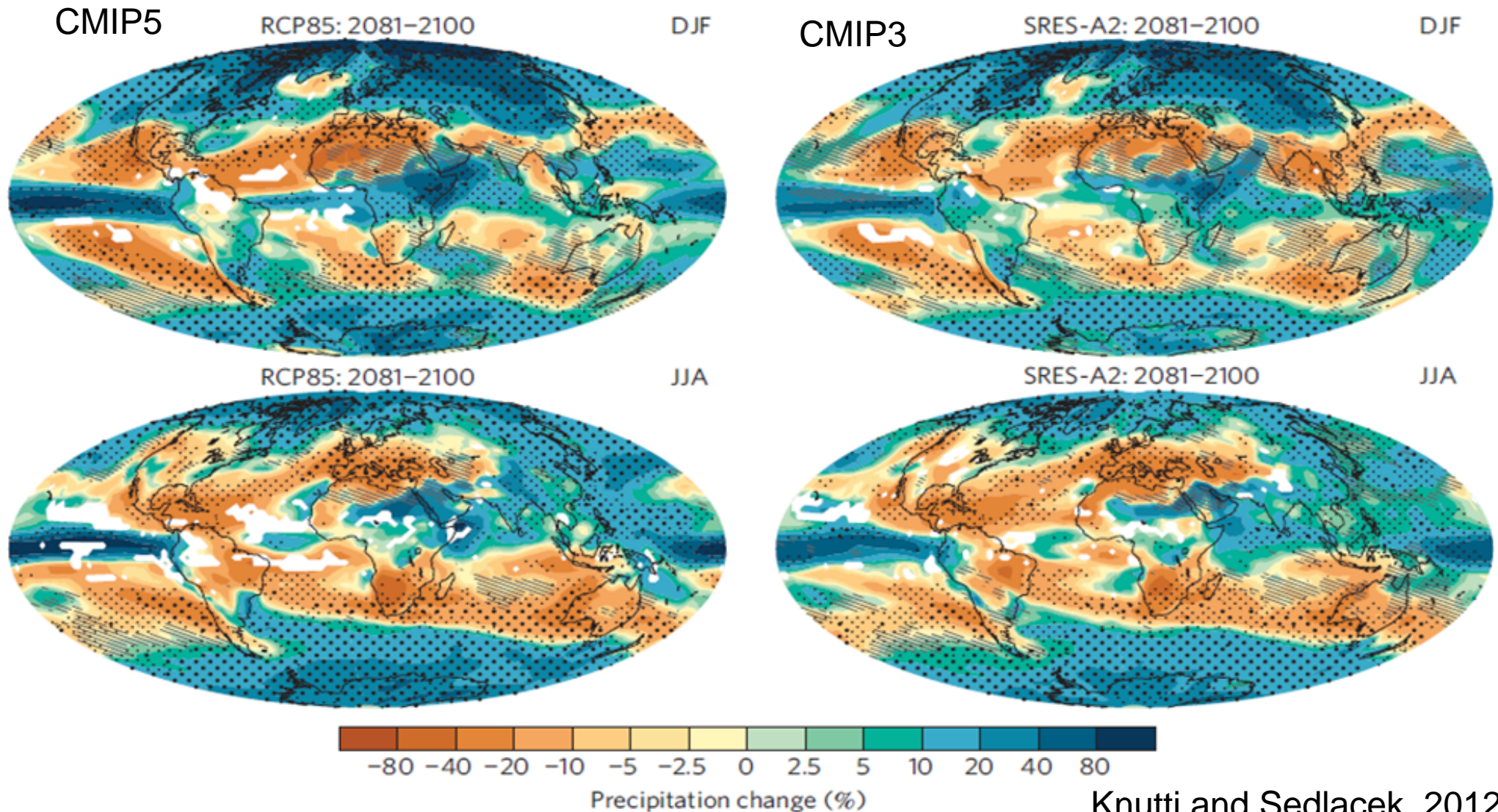
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EUCLIPSE - June 2013

# CMIP3 vs CMIP5 precipitation projections



Knutti and Sedlacek, 2012

## Analysis methodology (Bony et al., 2013)

Water budget: 
$$P = E - \underbrace{\left[ \vec{V} \cdot \nabla q \right]}_{H_q} - \underbrace{\left[ q \nabla \cdot \vec{V} \right]}_{-\left[ \omega \frac{\partial q}{\partial p} \right]}$$

$\omega$  can be decomposed as:

$$\omega = \Omega + (\omega - \Omega), \quad \text{with} \quad \Omega(p) = \bar{\omega} \Phi(p)$$

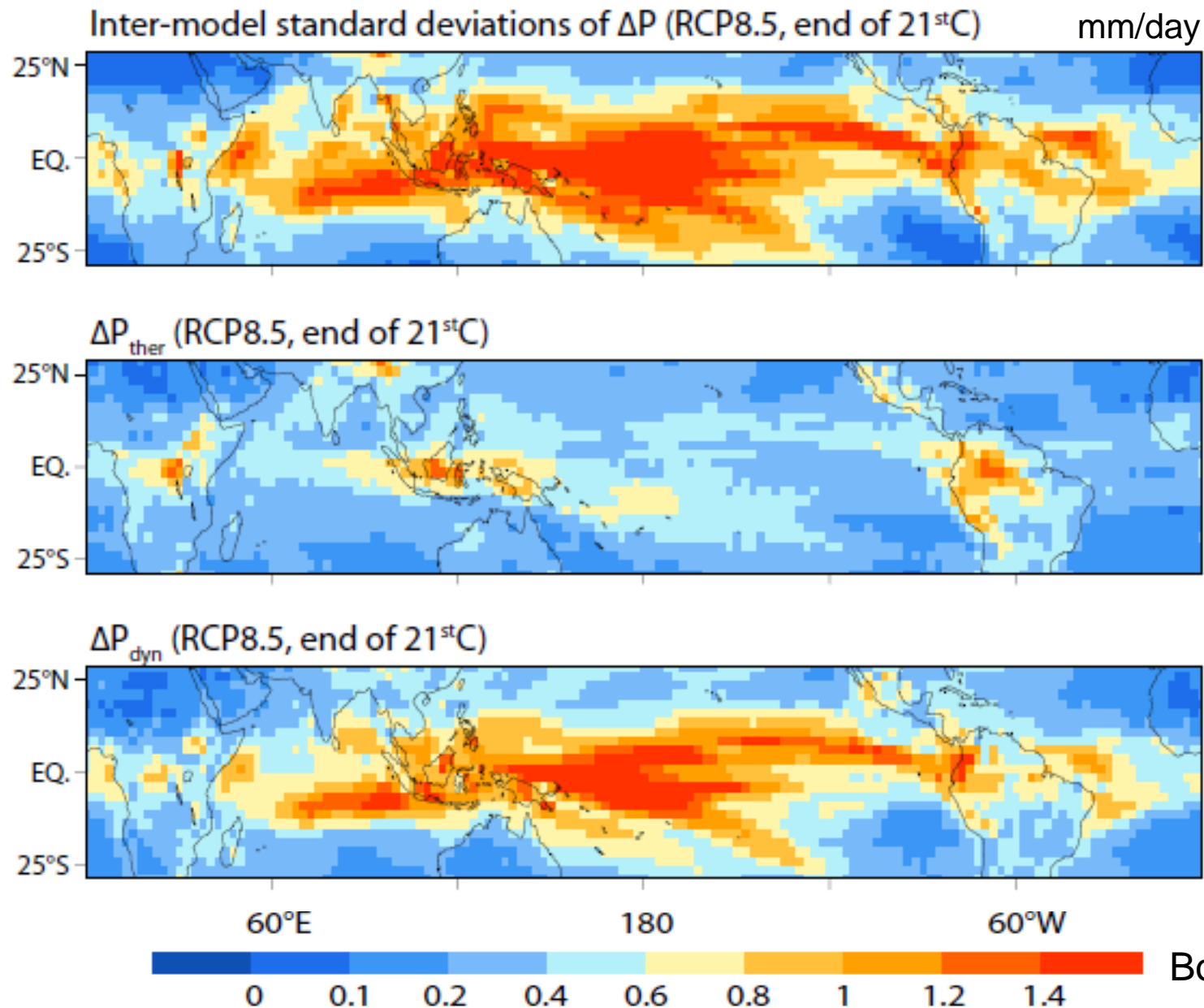
Then,

$$P = E + H_q + \bar{\omega} \Gamma_q + V_q^\alpha, \quad \text{with} \quad V_q^\alpha = - \left[ (\omega(p) - \Omega(p)) \frac{\partial q}{\partial p} \right]$$

$$\Gamma_q = - \left[ \Phi(p) \frac{\partial q}{\partial p} \right]$$

$$\Delta P = \underbrace{\Delta E + \Delta H_q + \bar{\omega} \Delta \Gamma_q + V_q^\alpha}_{\Delta P_{ther}} + \underbrace{\Gamma_q \Delta \bar{\omega}}_{\Delta P_{dyn}}$$

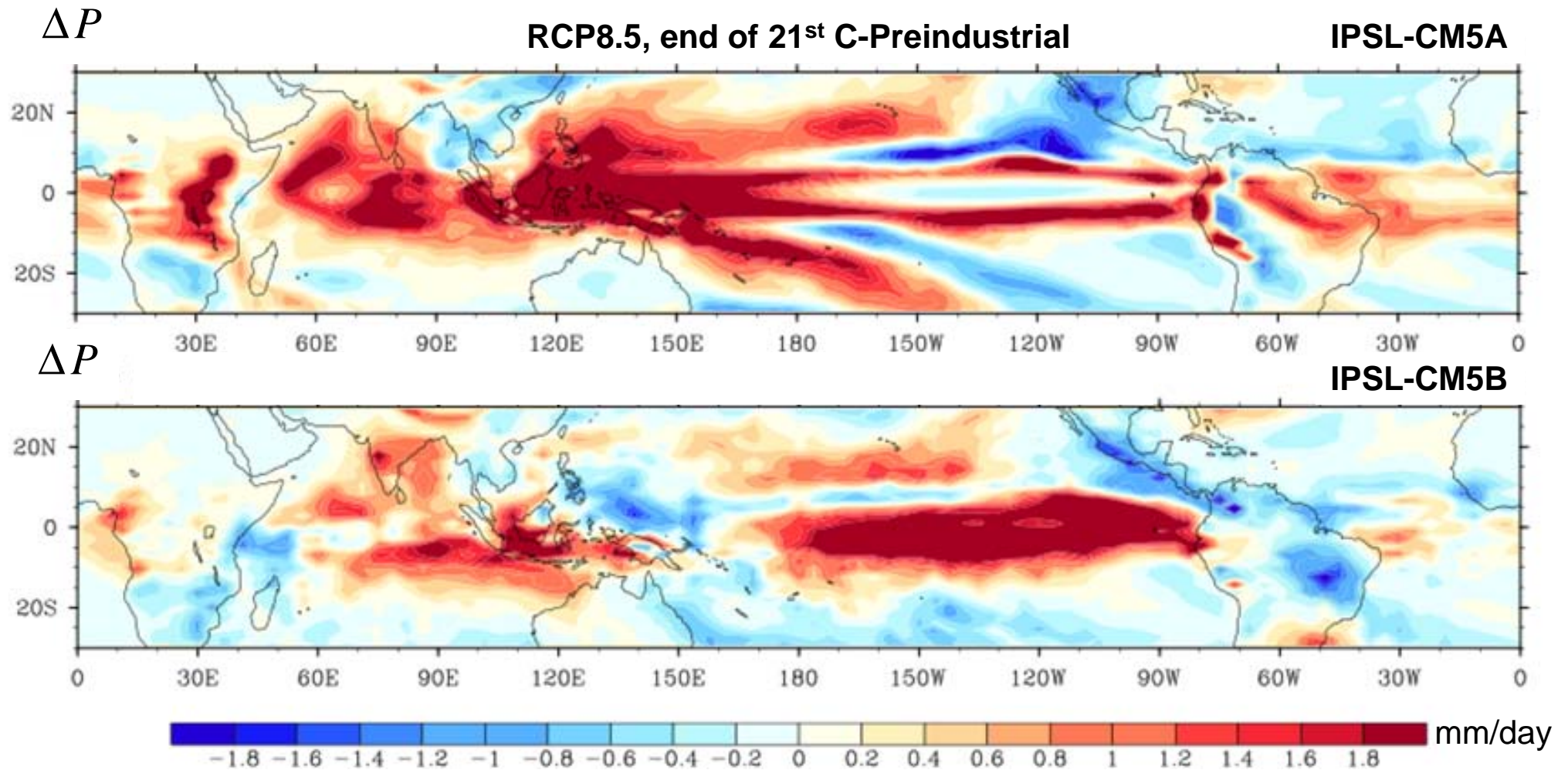
# Inter-model spread in regional precipitation projections: Role of dynamic and thermodynamic processes



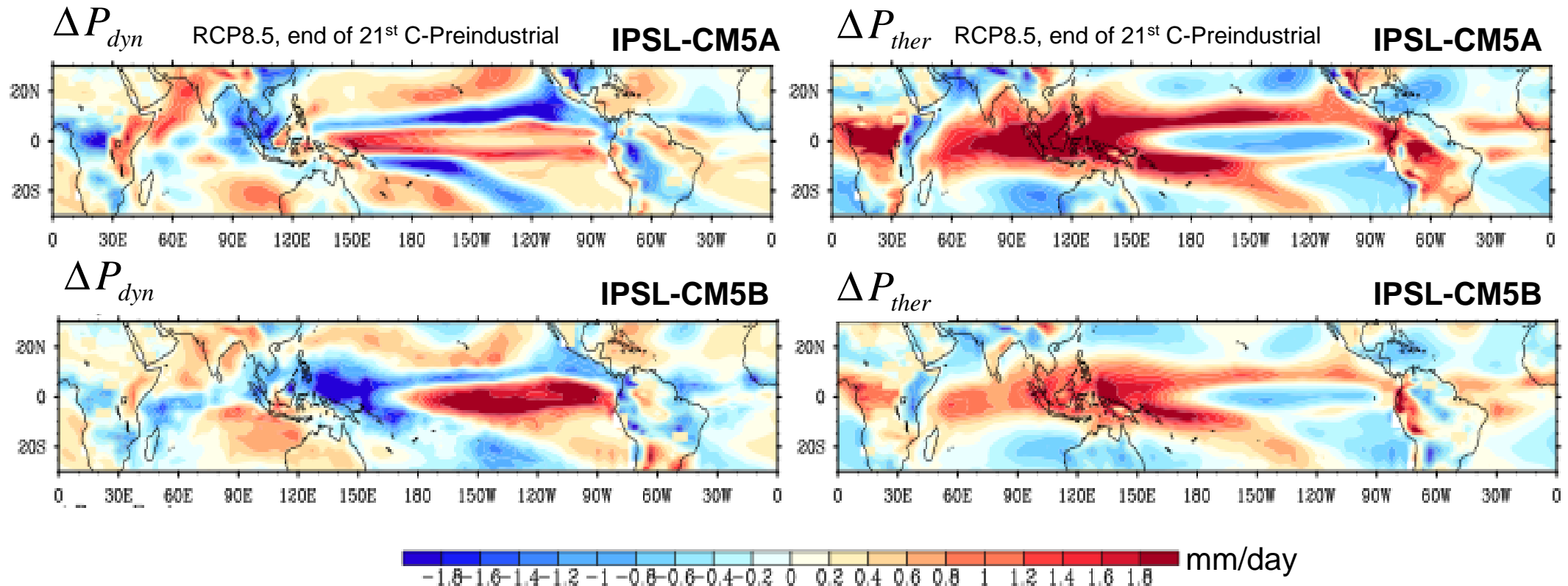
Bony et al., 2013



# Inter-model spread in regional precipitation projections: IPSL-CM5A-LR vs IPSL-CM5B-LR



# Inter-model spread in regional precipitation projections: IPSL-CM5A vs IPSL-CM5B

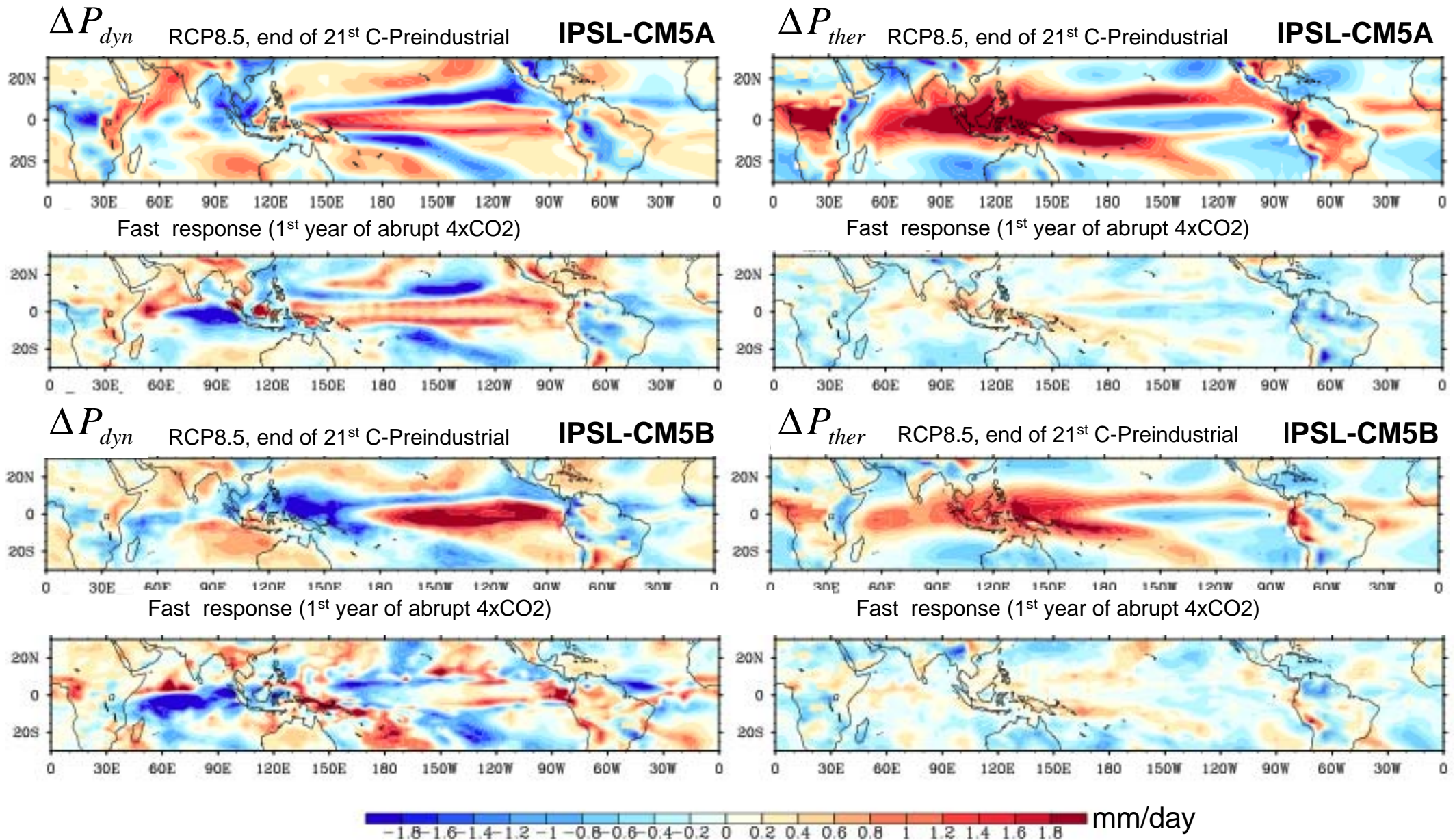


$\Delta P_{ther}$  : A wet get wetter, dry get drier regional pattern

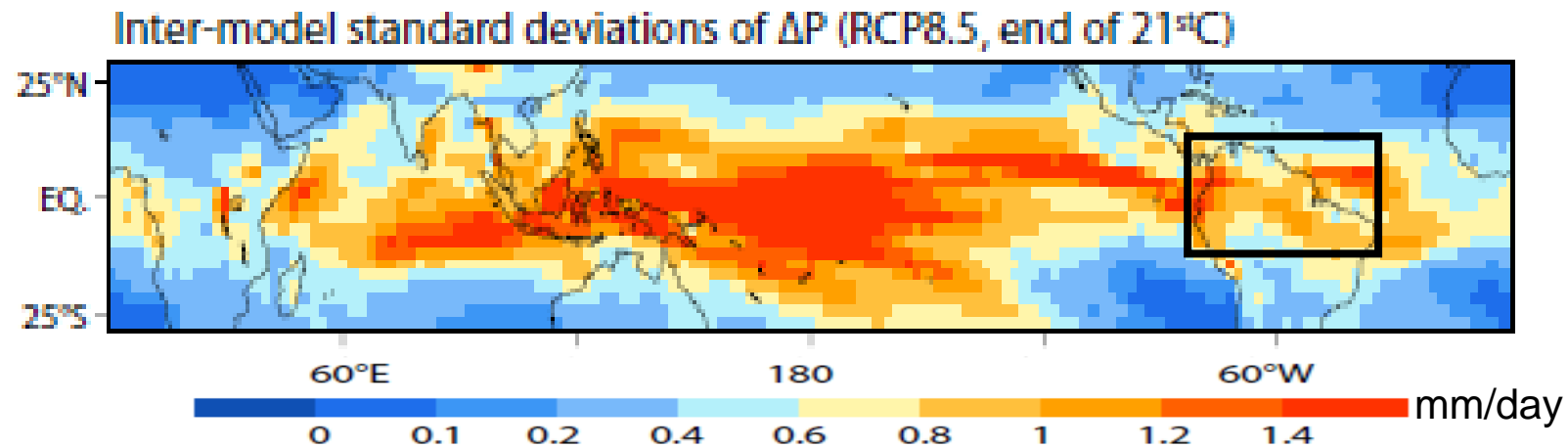
$\Delta P_{dyn}$  : A More complex pattern of precipitation changes



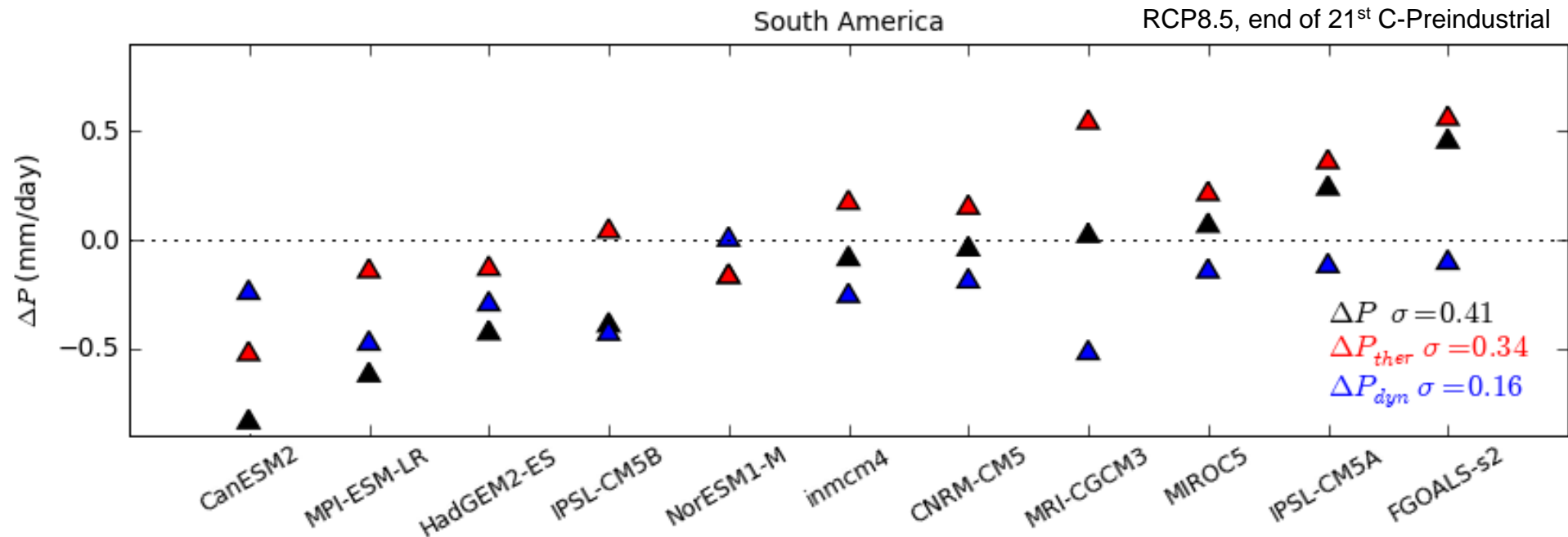
# Inter-model spread in regional precipitation projections: IPSL-CM5A vs IPSL-CM5B



# Inter-model spread in precipitation projections in South America: A multi-model analysis



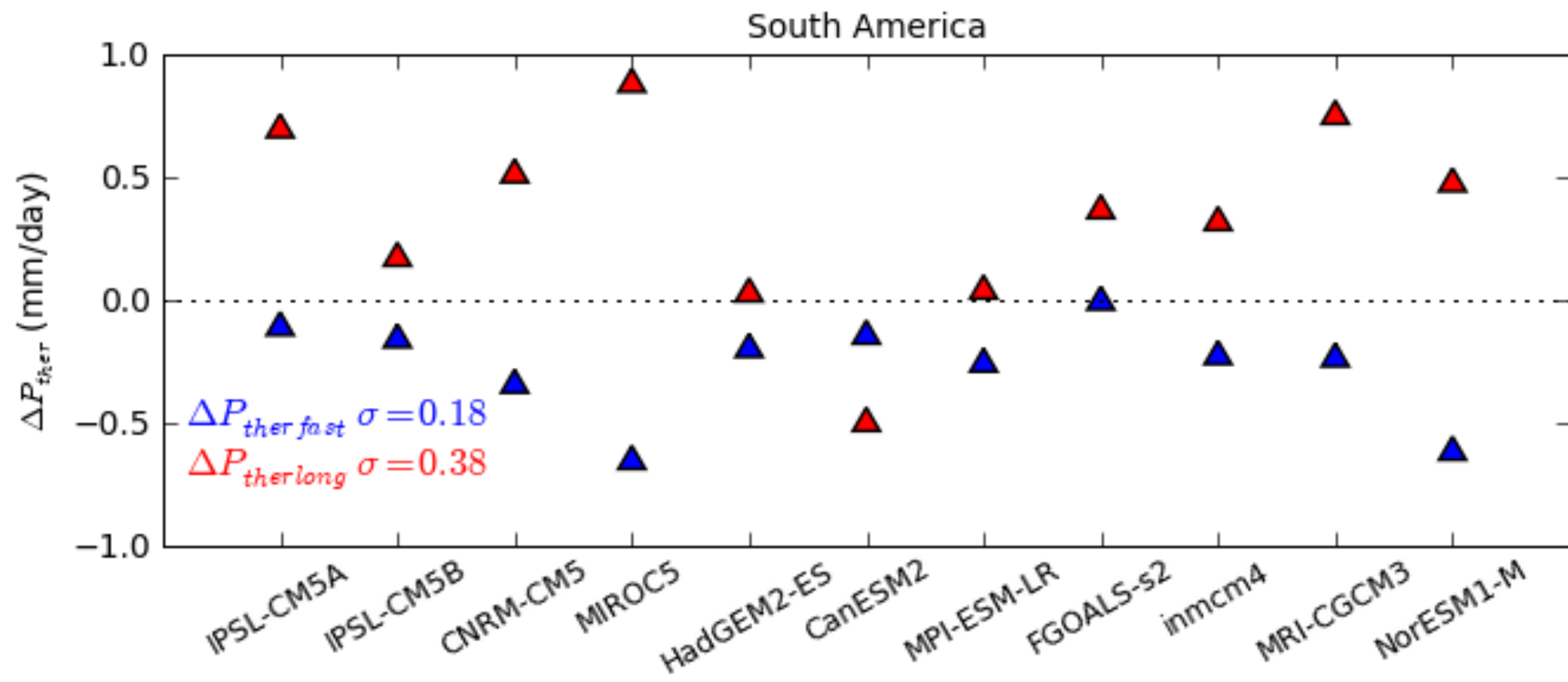
$$\Delta P = \Delta P_{ther} + \Delta P_{dyn}$$





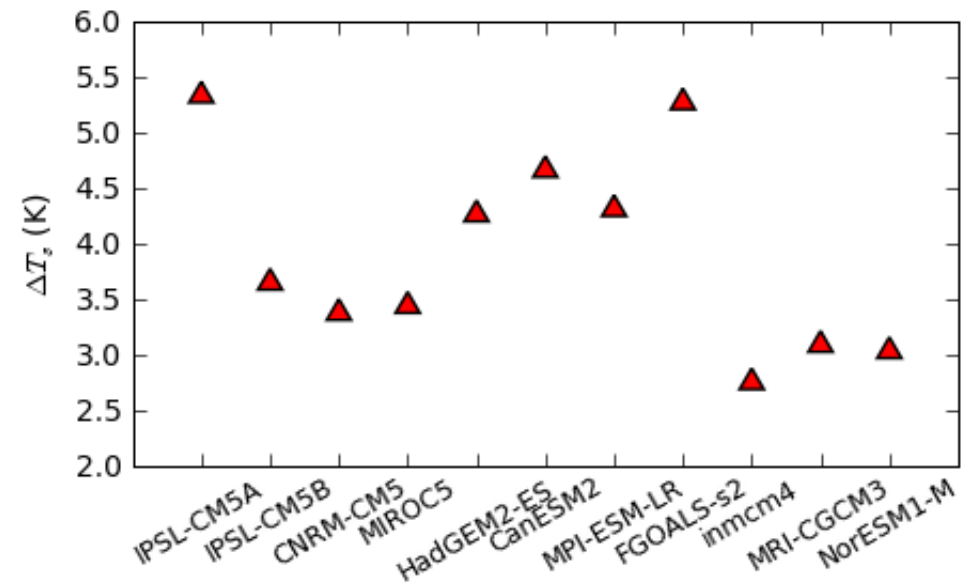
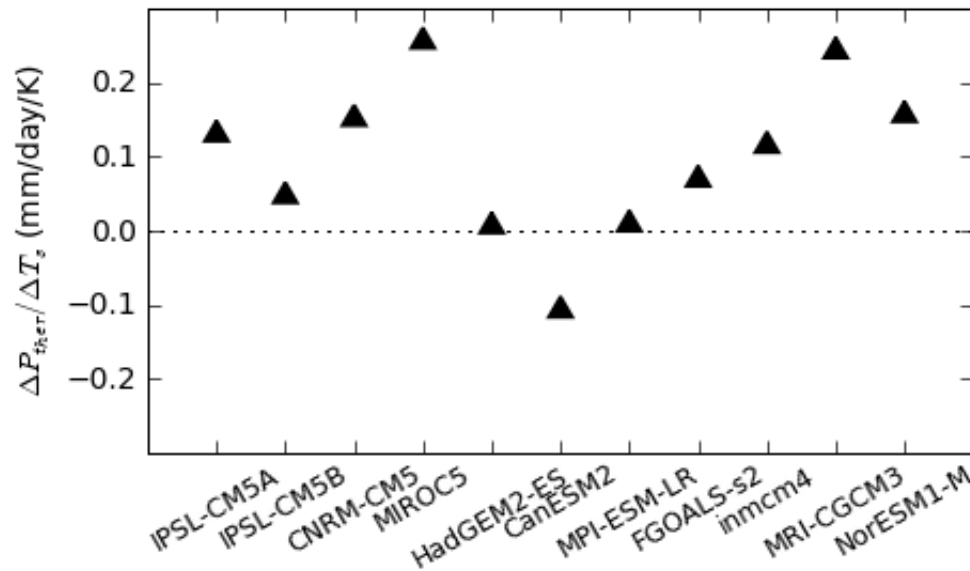
# Inter-model spread in precipitation projections in South America: Role of thermodynamic processes

$$\Delta P_{ther} = \Delta P_{ther \text{ Fast}} + \Delta P_{ther \text{ Long-term}}$$



# Inter-model spread in precipitation projections in South America: Role of thermodynamic processes

$$\Delta P_{ther} = \Delta P_{ther - Fast} + \left[ \frac{\partial P_{ther}}{\partial T_s} \right] \Delta T_s$$

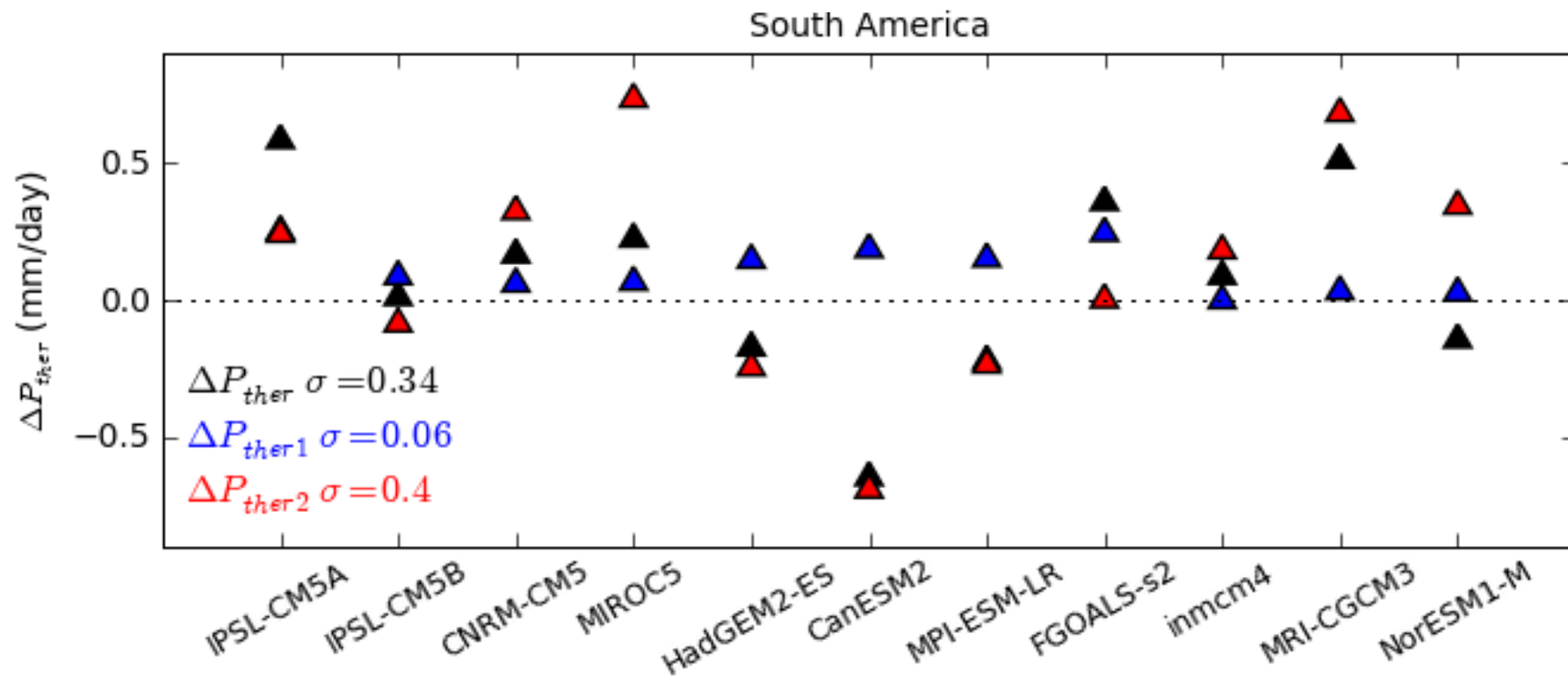


# Inter-model spread in precipitation projections in South America: Role of thermodynamic processes

$$\Delta P_{ther} = \Delta P_{ther - Fast} + \frac{\partial P_{ther}}{\partial T_s} \Delta T_s$$

$$\Delta P_{ther1} = [\Delta P_{ther - Fast}] + \left[ \frac{\partial P_{ther}}{\partial T_s} \right] \Delta T_s, \quad [ ] \text{ Multi-model mean}$$

$$\Delta P_{ther2} = [\Delta P_{ther - Fast}] + \frac{\partial P_{ther}}{\partial T_s} [\Delta T_s]$$



# Conclusions

A methodology (Bony et al., 2013) is applied to investigate possible sources of inter-model spread in precipitation projections:

- Separate dynamical and thermodynamical processes
- Separate fast and long-term processes
- Assess quantitatively the contribution of each physical process in the spread

Different behaviours over ocean and land:

- Over ocean : A large part of the spread is explained by fast dynamical processes
- Over land (South America) : A large part is explained by long-term thermodynamical processes

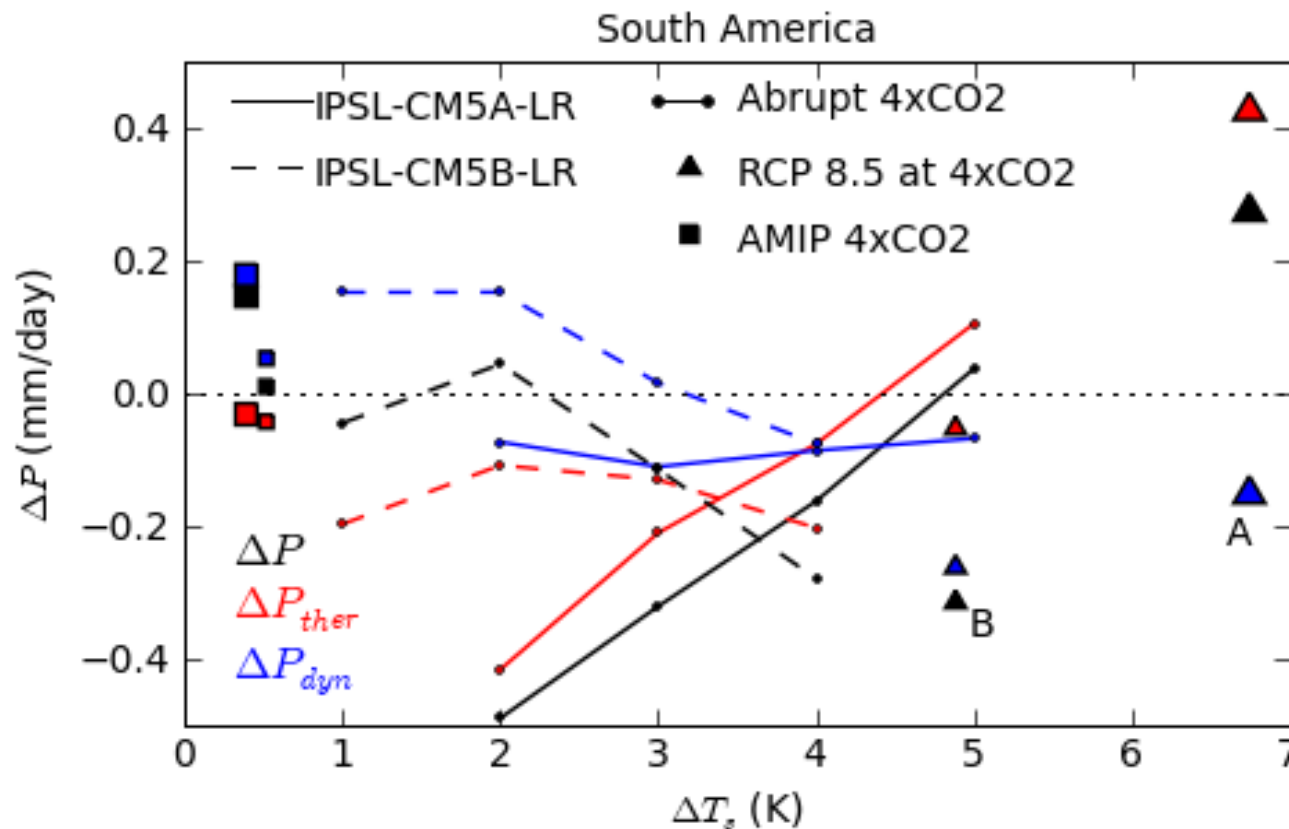


# Outlook

Understand the sources of spread in the thermodynamical response in South America

$$\Delta P_{ther} = \Delta P_{ther - Fast} + \boxed{\frac{\partial P_{ther}}{\partial T_s}} \Delta T_s$$

$$\Delta P_{ther} = \Delta E + \Delta H_q + \overline{\omega} \Delta \Gamma_q + V_q^\alpha$$



**Thank you for your  
attention**